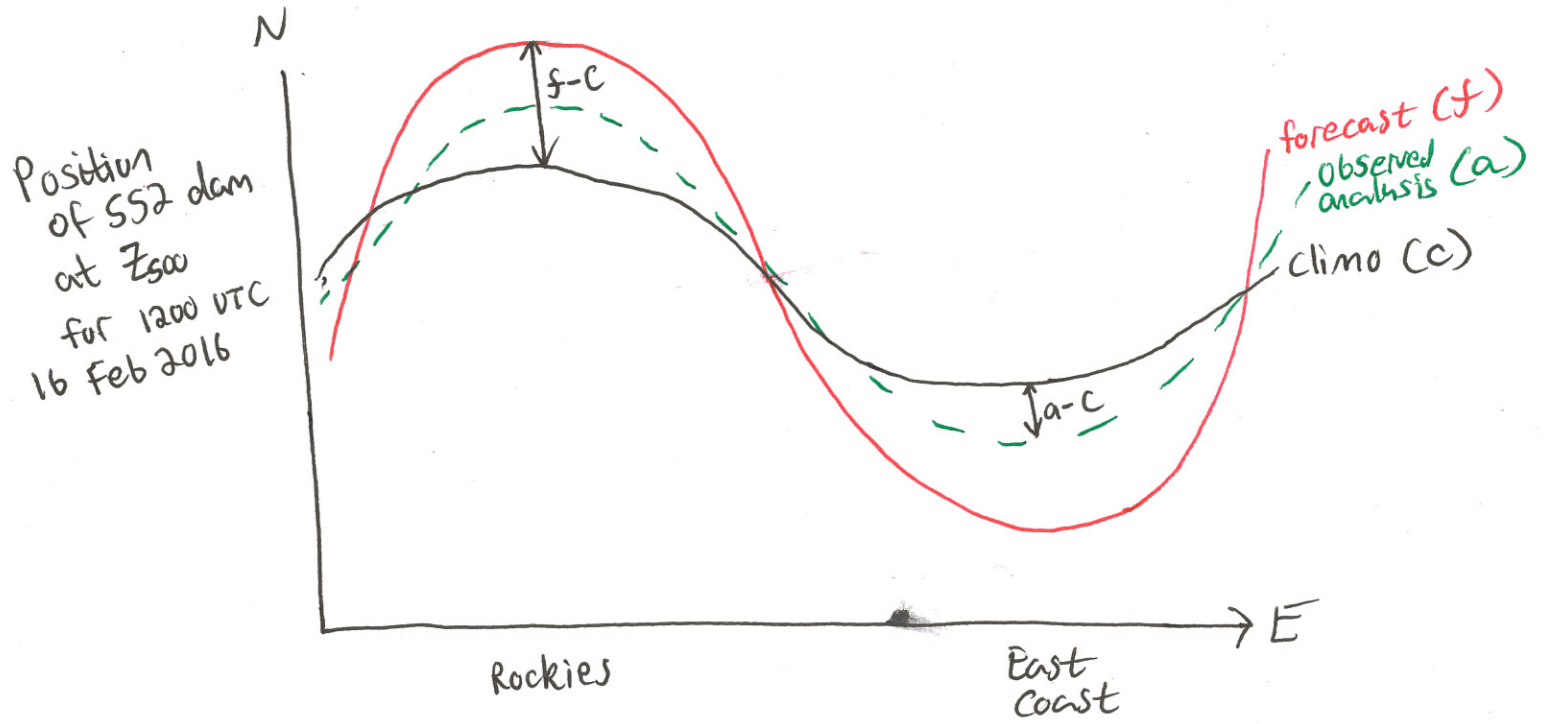


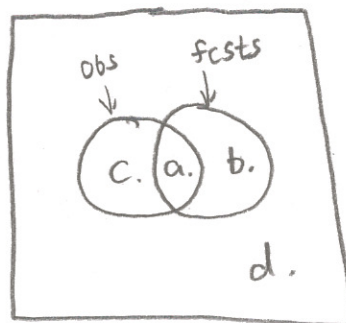
ACC Example



Contingency Table:

Here is an example of a simple 2x2 contingency table:

		observations	
		Yes	No
forecast	Yes	hits a.	false alarms b.
	No	misses c.	correct reject d.



An example of a contingency table may look like this:

	obs rain	obs dry
fcst rain	18	2
fcst dry	12	68

- The "SEEPS" score (Stable Equitable Error in probability space) is an extension of the contingency table.
- Addresses the task of verifying deterministic precipitation forecasts.
- In contrast to traditional deterministic precipitation verification, SEEPS makes use of three categories:
 - "dry", (2) "light precipitation", and (3) "heavy precipitation"
- "Dry" is defined according to WMO guidelines as $\leq 0.2 \text{ mm/24h}$
- "Light" and "heavy" categories are defined by local climatology so that light precipitation occurs twice as often as "heavy" precipitation.
 - E.g., in Europe, the threshold between "light" and "heavy" precipitation is generally between 3 and 15 mm/24h.

Example:

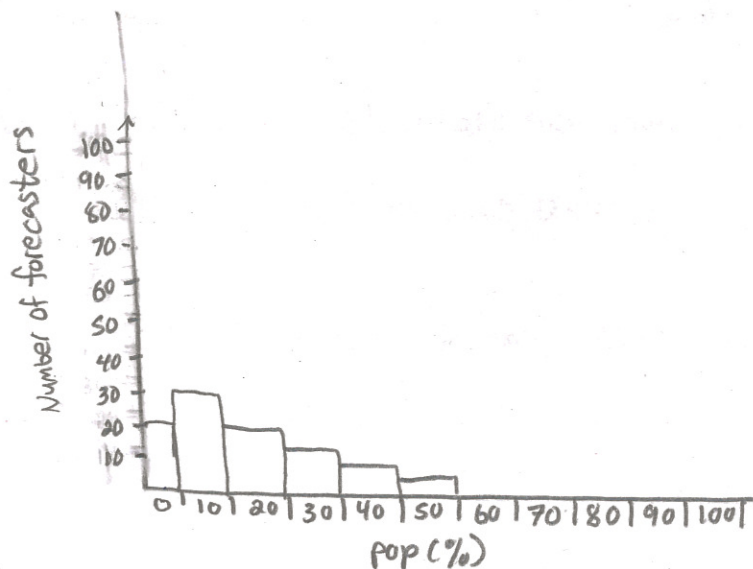
	obs dry	obs light precip	obs heavy precip
fcst dry	10	7	5
fcst light precip	8	20	10
fcst heavy precip	2	3	35

- This and other contingency tables like Table 7 on page 97 in ECMWF user guide illustrate how contingency tables can be made to be more complex than a 2x2.

CRPSS Example

Let us pretend 100 students are forecasting probability of precipitation (pop) for 12 Feb 2016. Let's say it does not rain, so the verification is a pop of 0.

Here is the forecast distribution for pop



Brier Score (BS)

$$BS = \overline{(p - o)^2}$$

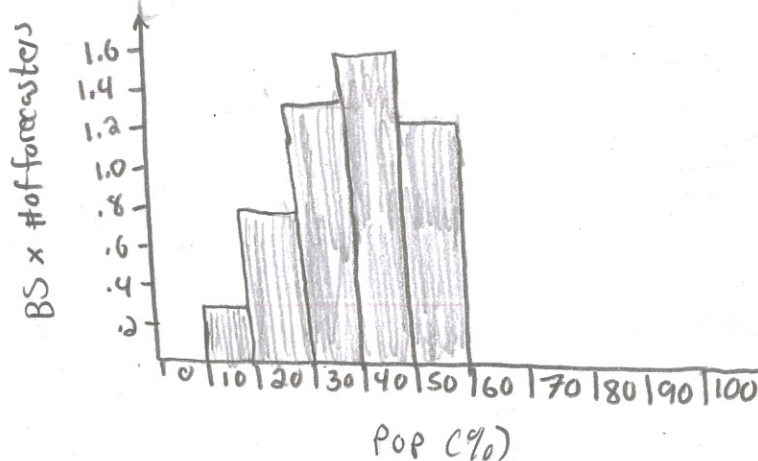
p = forecast probability

o = occurrence; either:

0 - did not happen

or 1 - did happen

Pop Cat	0	.10	.20	.30	.40	.50	.60	.70	.80	.90	1.0
obs	0	0	0	0	0	0	0	0	0	0	0
Brier Score	0	.01	.04	.09	.16	.25	.36	.49	.64	.81	1.0
# of forecasters	20	30	20	15	10	5	0	0	0	0	0
BS x # of forecasters	0	0.3	0.8	1.35	1.6	1.25	0	0	0	0	0



$$CRPS = \frac{\text{total area}}{\# \text{ categories}}$$

$$CRPS = \frac{5.3}{11} = 0.482$$

$$= 0.4$$

- This example basically illustrates that the CRPS is basically the average BS across all categories of what you're interested in forecasting (e.g., pop).
- How do we get the CRPS?

CRPSS - Continuous Rank Probability Skill Score; can be calculated as follows:

$$\text{CRPSS} = \frac{\overline{\text{CRPS}_{\text{forecast}}} - \overline{\text{CRPS}_{\text{climo}}}}{\overline{\text{CRPS}_{\text{perfect}}} - \overline{\text{CRPS}_{\text{climo}}}}$$

- This skill score measures the improvement over the standard forecast, normalized to the total possible improvement.

- Range is $-\infty$ to 1, so max possible CRPSS (and perfect forecast) is $\text{CRPSS} = 1$.

Since a perfect CRPS is zero, CRPSS can be rewritten as:

$$\text{CRPSS} = \frac{\overline{\text{CRPS}_{\text{climo}}} - \overline{\text{CRPS}_{\text{forecast}}}}{\overline{\text{CRPS}_{\text{climo}}}}$$

- The CRPSS can also be thought of as an averaged Brier skill score across a continuous distribution of categories (e.g. categories of pop).

Recall that Brier score (BS) is:

$$\text{BS} = \overline{(p - o)^2}, \text{ where } p \text{ is probability of occurrence of event and } o \text{ is its occurrence (0 or 1)}.$$

The Brier Skill Score (BSS) is:

$$\text{BSS} = \frac{\overline{\text{BS}_{\text{forecast}}} - \overline{\text{BS}_{\text{climo}}}}{\overline{\text{BS}_{\text{perfect}}} - \overline{\text{BS}_{\text{reference}}}}$$

since $\text{BS}_{\text{perfect}} = 0$

$$\text{BSS} = \frac{\overline{\text{BS}_{\text{climo}}} - \overline{\text{BS}_{\text{forecast}}}}{\overline{\text{BS}_{\text{climo}}}}$$

In a basic sense:

$$\text{CRPSS} = \frac{\sum_{i=1}^{\text{\# of categories}} \text{BSS}}{\text{\# of categories}}$$