

An aerial photograph of a wide river with a sharp bend. In the foreground, a large island is covered in a dense forest of tall, thin trees. The river's surface is calm, reflecting the sky. In the background, a bridge with a truss structure spans across the river. The surrounding landscape is a mix of green fields and wooded areas.

# **Transverse Jet Circulations and their Impact on the Production of Sensible Weather**

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Andrew C. Winters

1 March 2018











# Learning Objectives

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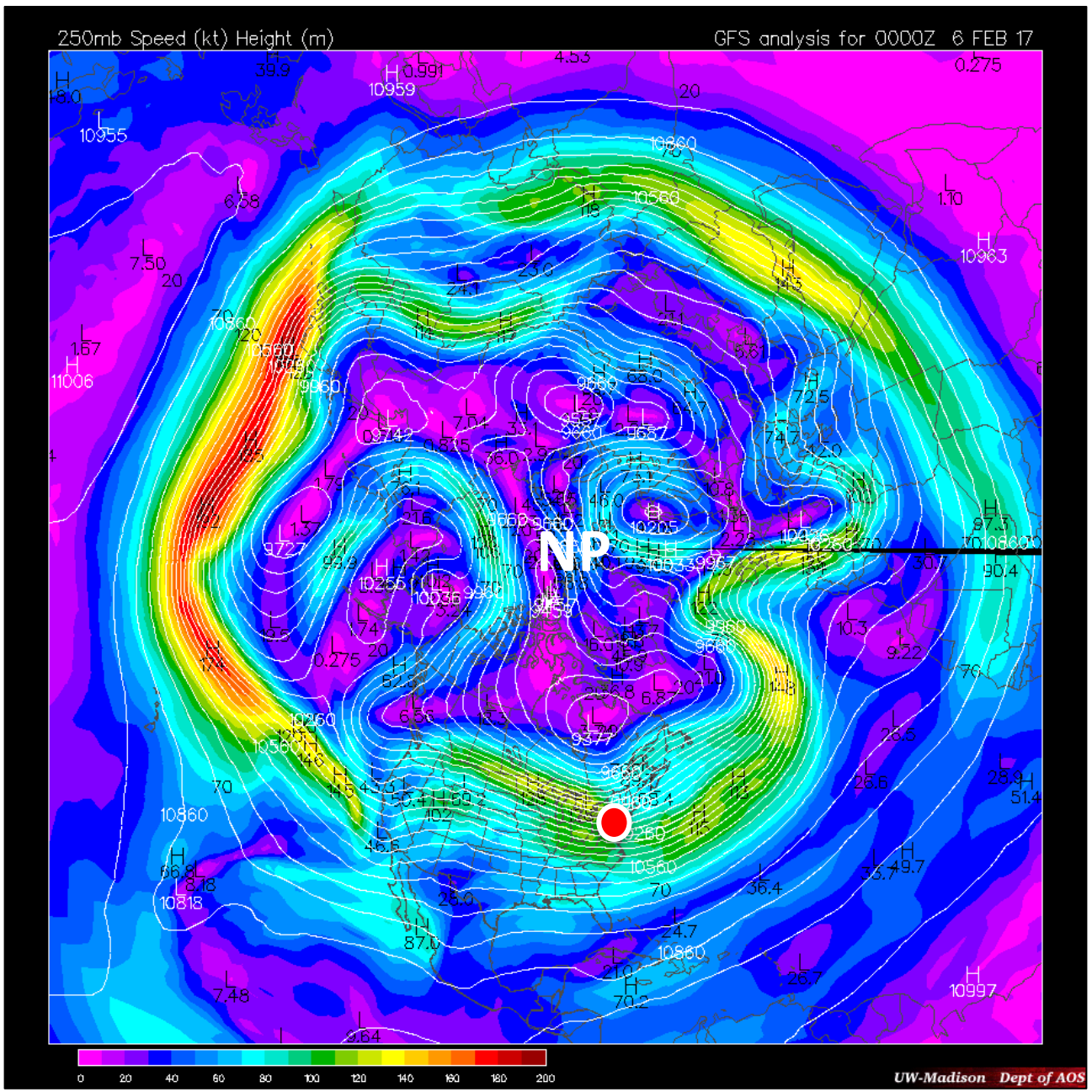
- 1) What are the characteristics of the Jet Stream?
- 1) How was the Jet Stream “discovered”?
- 1) How do transverse jet circulations impact the production of sensible weather?

# 250-hPa Wind Speed

0000 UTC  
6 Feb 2017

● State College, PA



NP North Pole

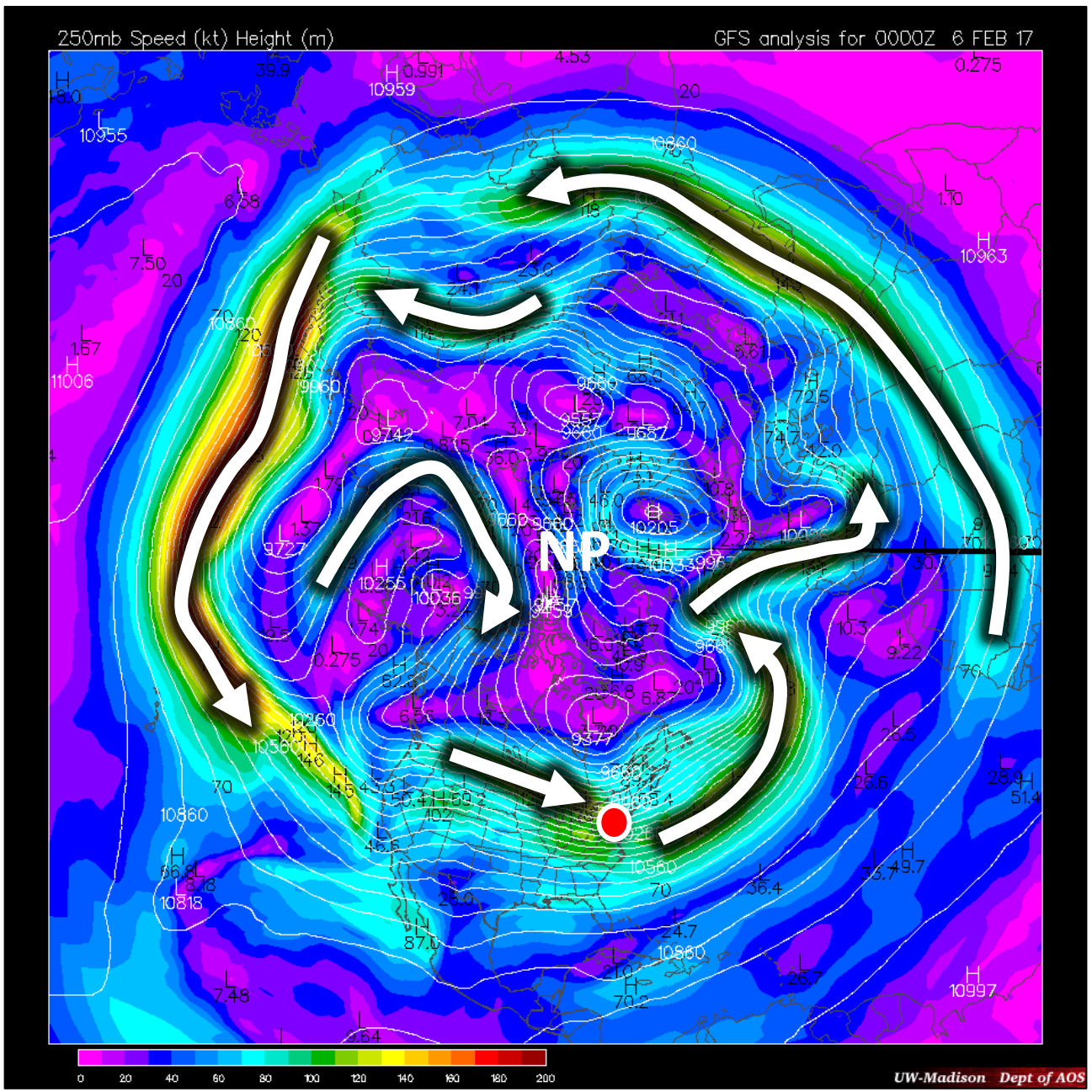




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-  Jet Stream
-  State College, PA
- NP** North Pole

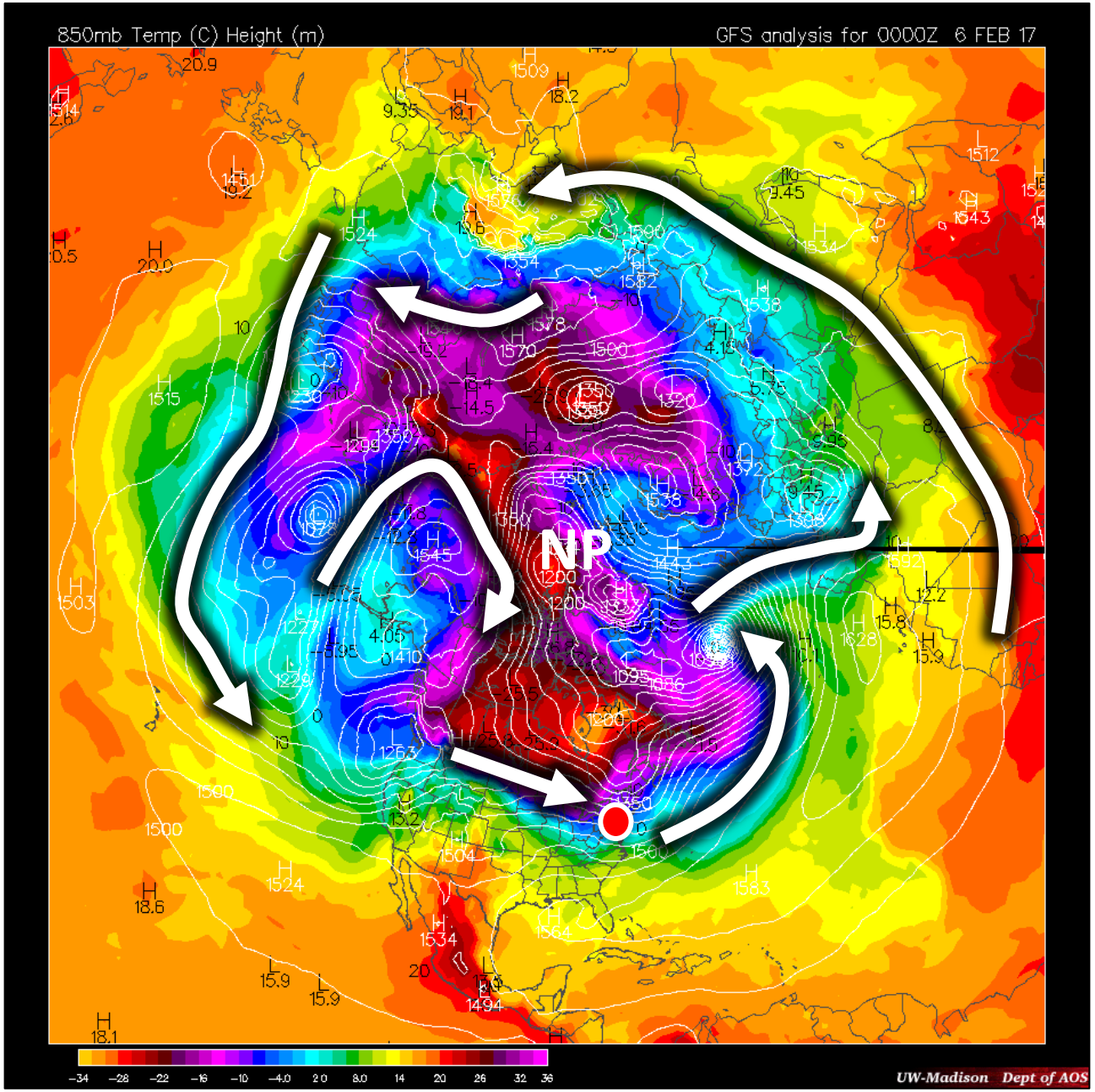


# 850-hPa Temperature

0000 UTC  
6 Feb 2017

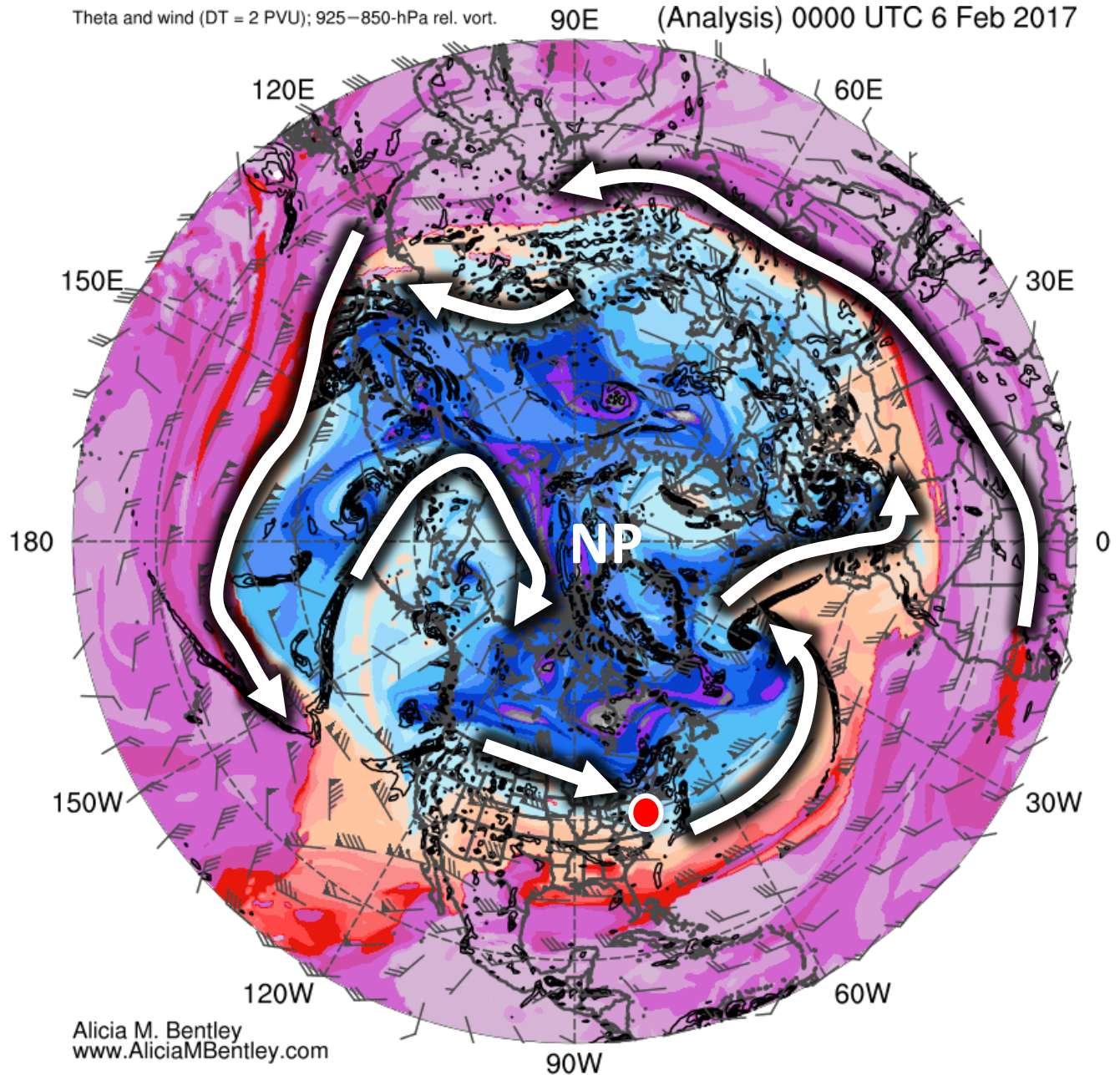
➔ Jet Stream  
● State College, PA

NP North Pole



# Tropopause Potential Temperature

0000 UTC  
6 Feb 2017



➔ Jet Stream

● State College, PA

NP North Pole

Alicia M. Bentley  
www.AliciaMBentley.com

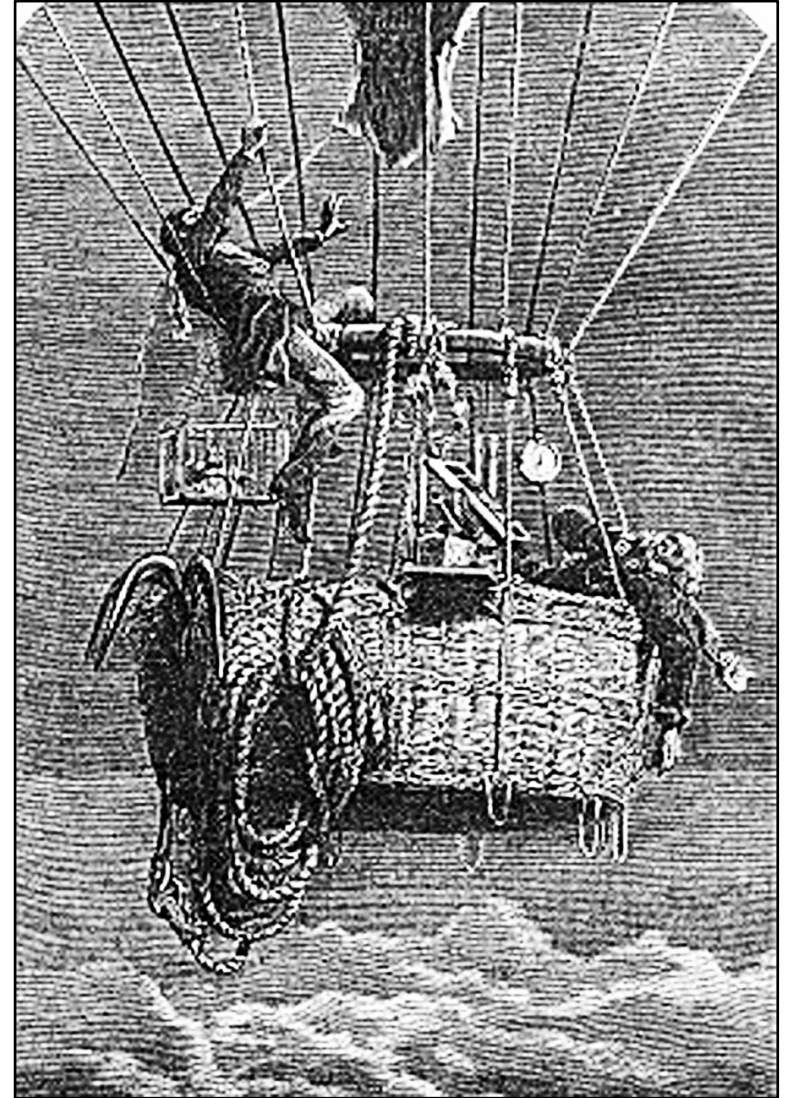
# Building Blocks to Jet Stream “Discovery”

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**Coxwell and Glaischer  
(1862)**

**The Flight of a  
Lifetime!**

Manned balloon ascent to  
~29000 feet.



Illustrated London News

# Building Blocks to Jet Stream “Discovery”

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**Teisserenc de Bort (1902)**

**Discovery of the stratosphere**

Temperature stops decreasing  
at a particular distance above  
the Earth’s surface.



Nature

# Building Blocks to Jet Stream “Discovery”

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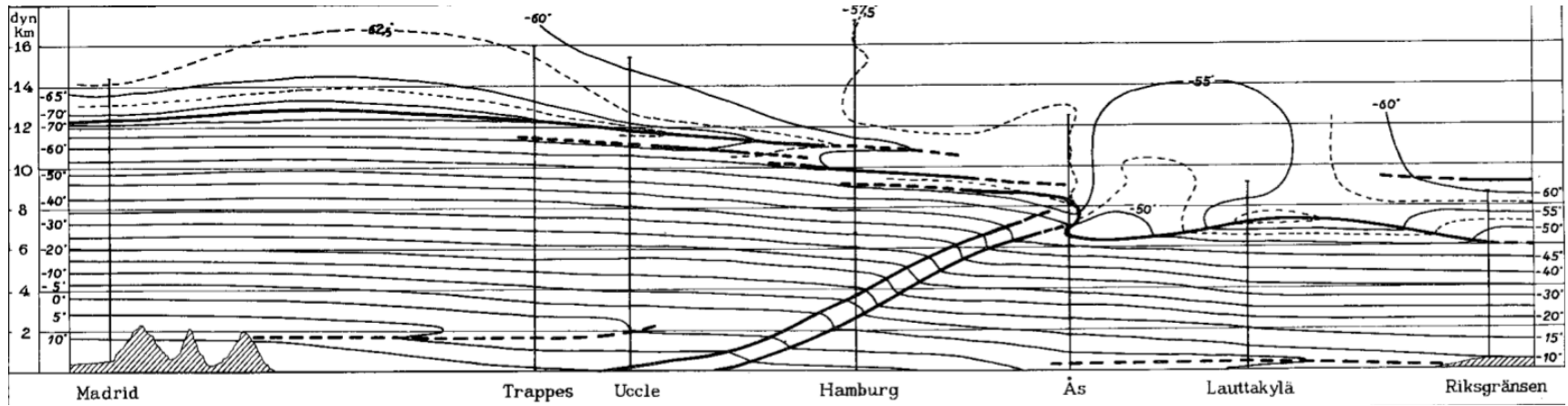


**Bjerknes and  
Palmén  
(1937)**

Coordinated  
“swarm ascents”  
at 18 different  
locations across  
Europe.

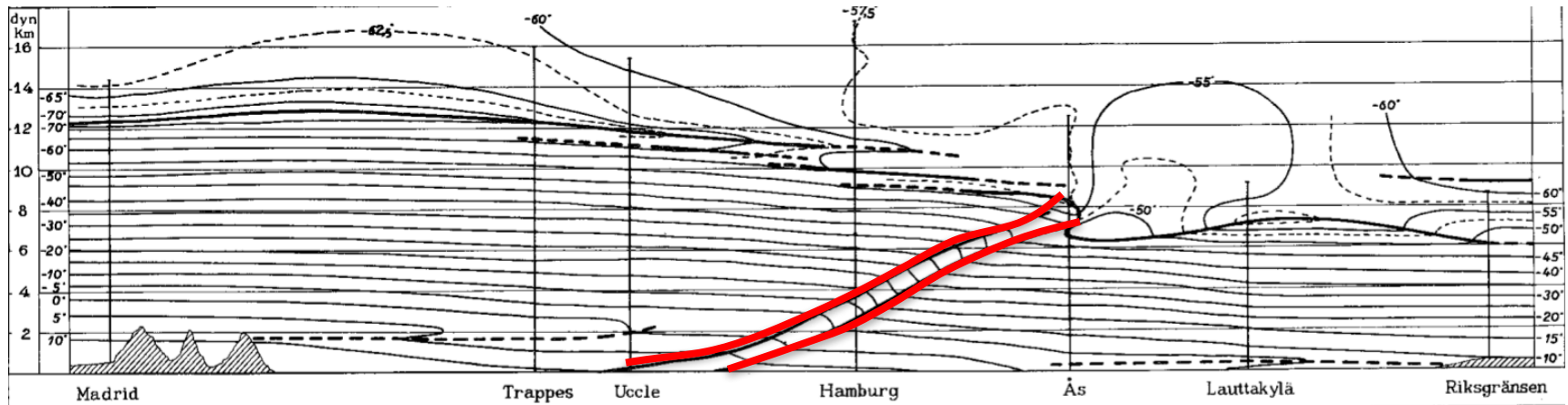
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Bjerknes and Palmén (1937)



# Building Blocks to Jet Stream “Discovery”

## Bjerknes and Palmén (1937)

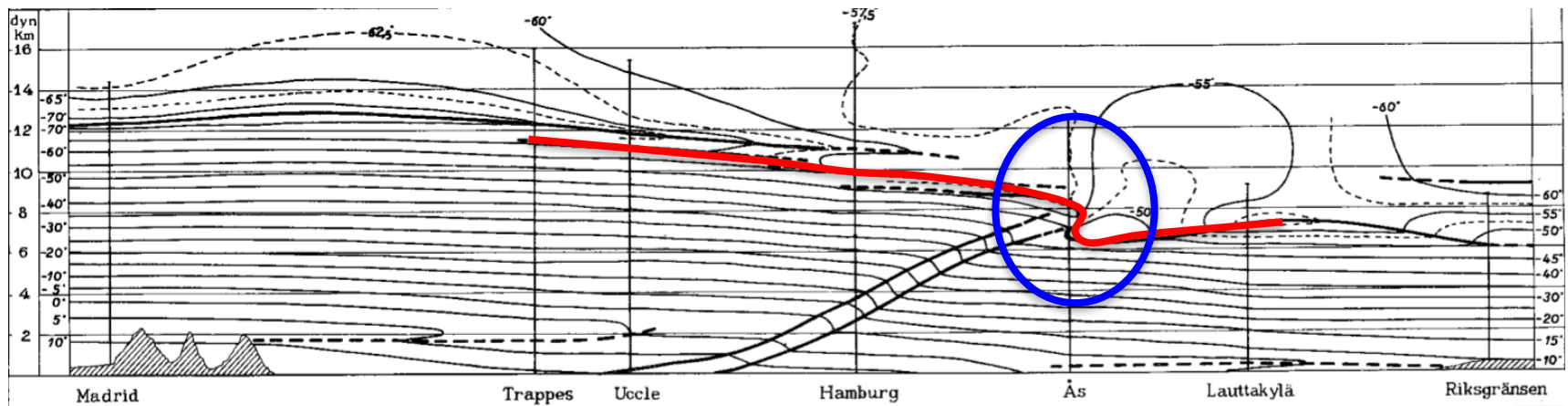


- The front is a **transition zone** across which the temperature gradient is discontinuous.



# Building Blocks to Jet Stream “Discovery”

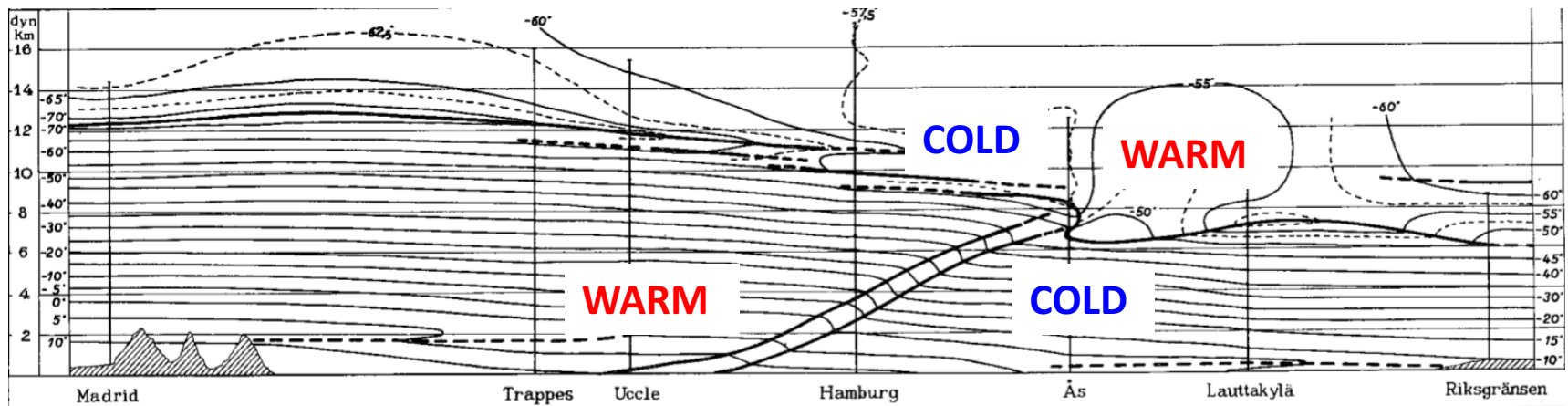
## Bjerknes and Palmén (1937)



- The front is a **transition zone** across which the temperature gradient is discontinuous.
- The tropopause **abruptly lowers** at the location where the polar front intersects the tropopause.

# Building Blocks to Jet Stream “Discovery”

## Bjerknes and Palmén (1937)



- The front is a **transition zone** across which the temperature gradient is discontinuous.
- The tropopause **abruptly lowers** at the location where the polar front intersects the tropopause.
- The meridional temperature gradient **reverses** directly above the tropopause break.

# “Discovery” of the Jet Stream

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**Reid Bryson and Bill Plumley** – Weather Officers in the Pacific during World War II (1944)  
(Bryson 1994).



CCR

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Which translates to “jet flow” (1939)  
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Cliff Mass

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MIT

**Carl-Gustaf Rossby** – First to refer to the phenomenon as  
the “jet stream” (1947).

# “Discovery” of the Jet Stream

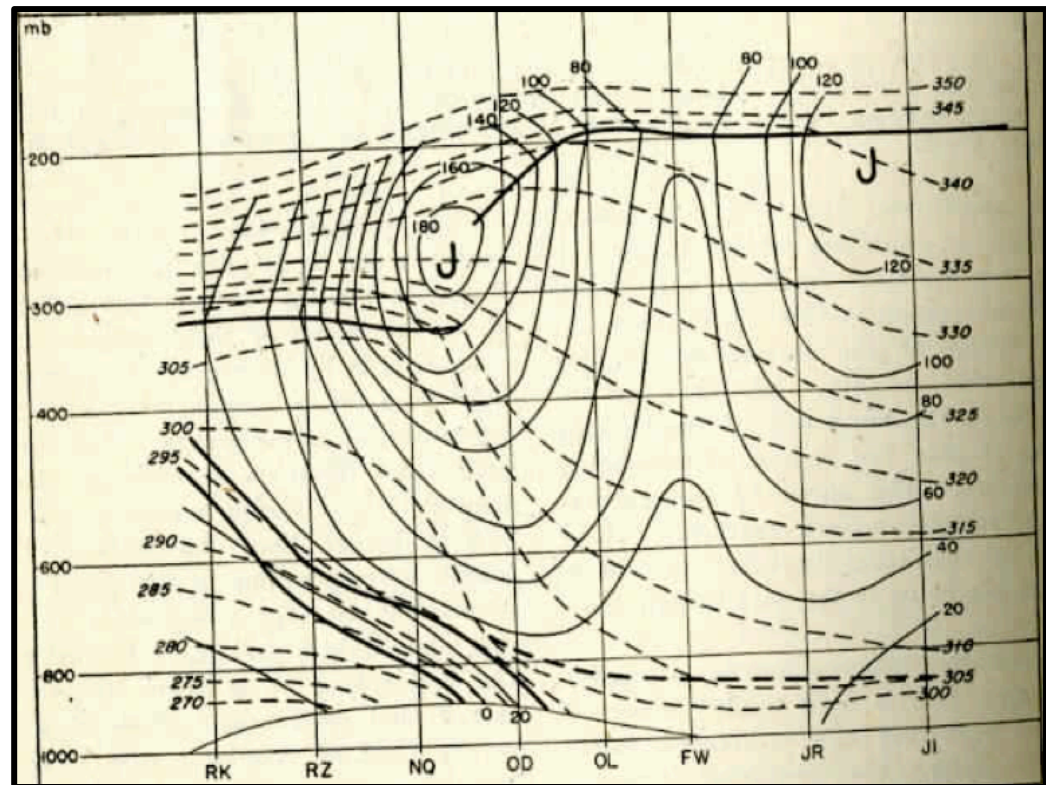
University of Chicago (1947)

One of the first hemispheric examinations of the midlatitude circulation.

1) The jet was characterized by a nearly continuous band of strong zonal wind speeds.

2) The jet sat atop the strongly baroclinic polar front.

3) The jet was nestled squarely in a tropopause break.



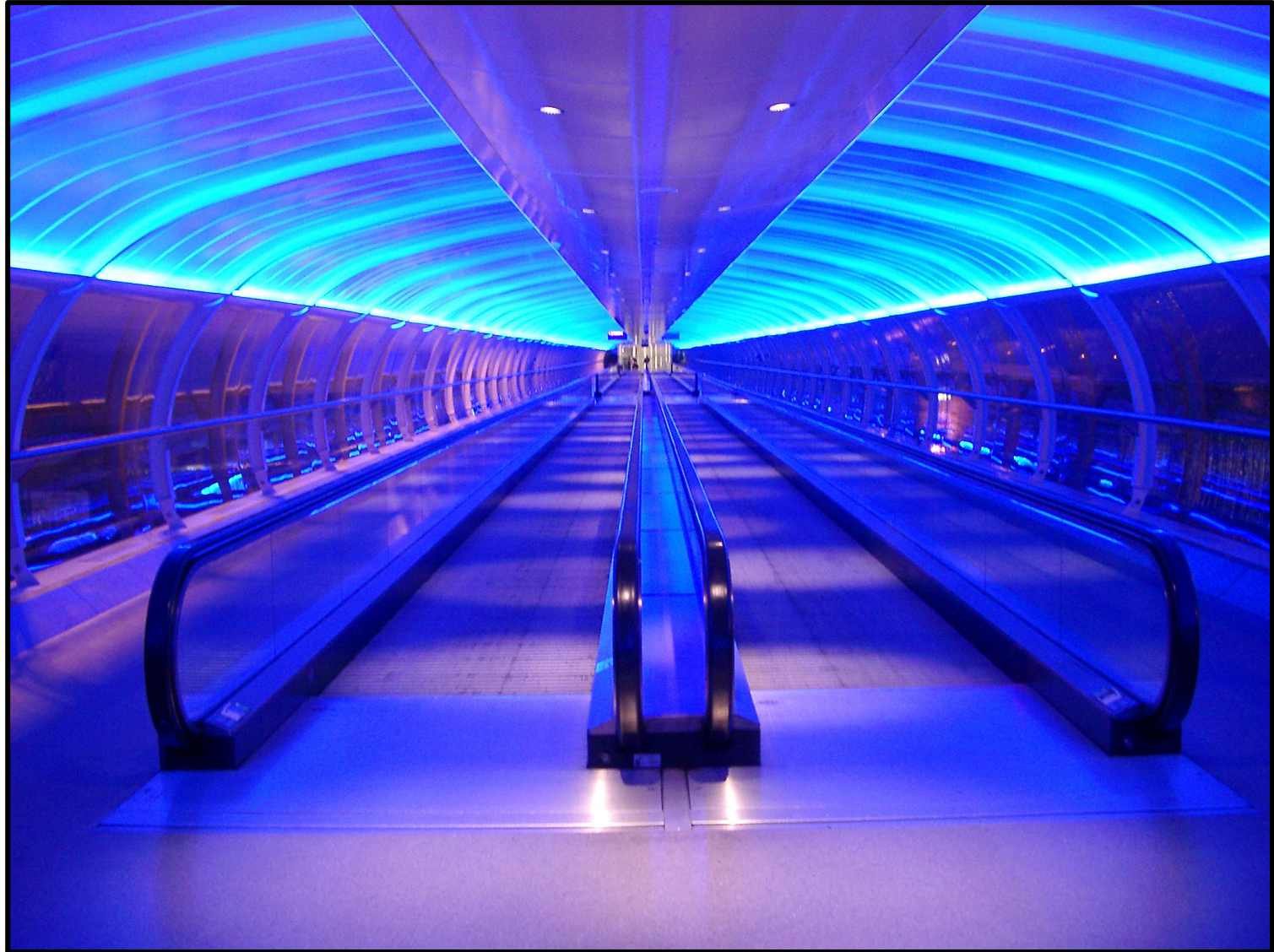
# **How do Jet Streams Impact the Weather?**

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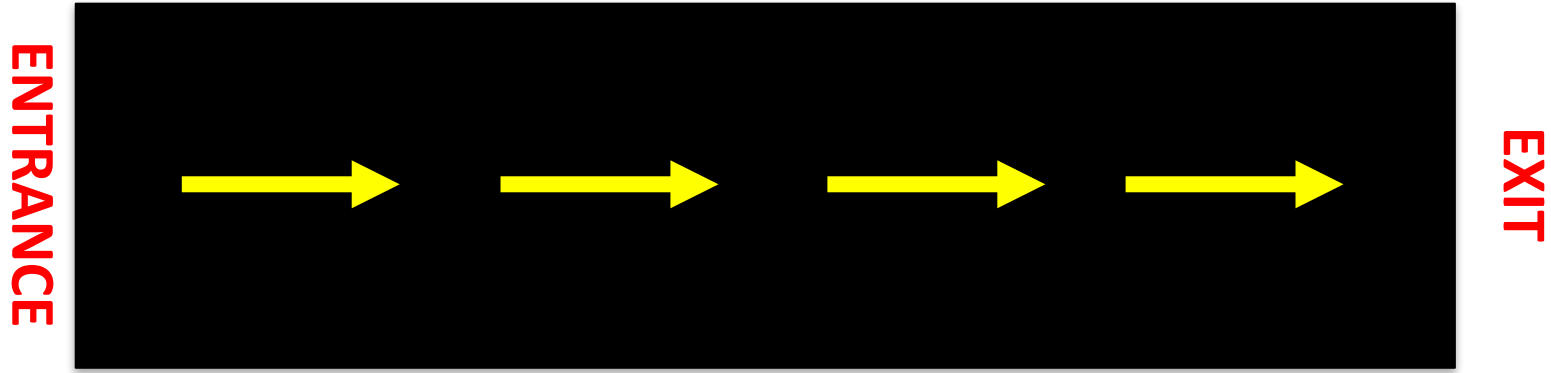
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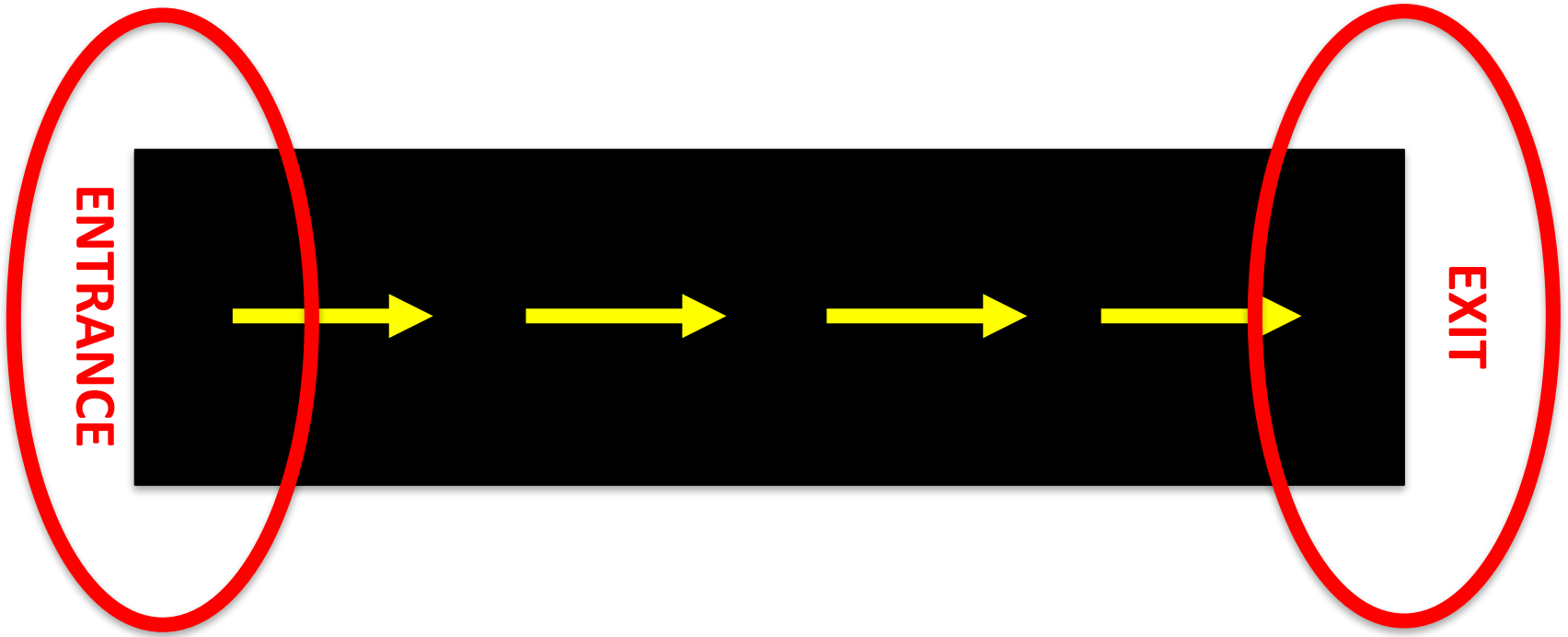
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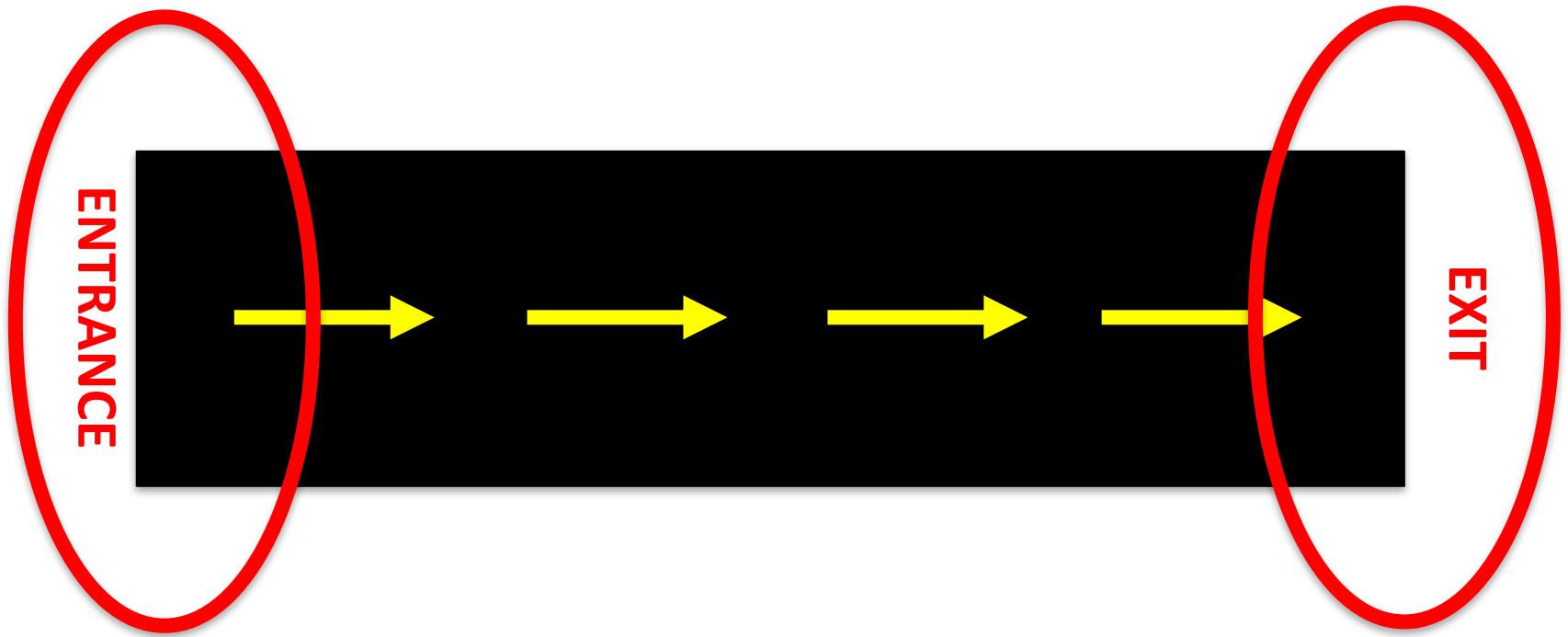
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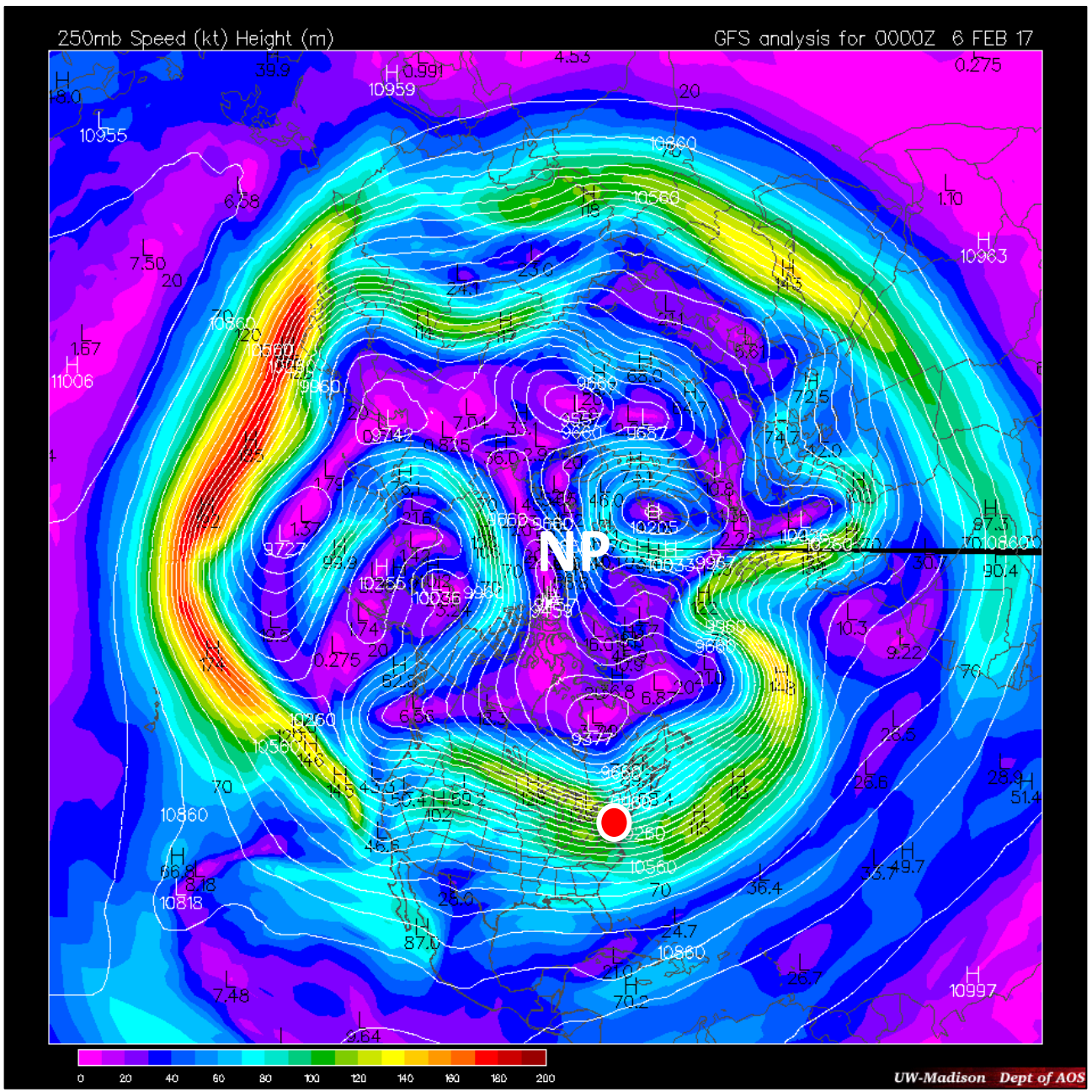
Areas where you accelerate or decelerate with respect to the walkway are important for generating clumsiness

# 250-hPa Wind Speed

0000 UTC  
6 Feb 2017

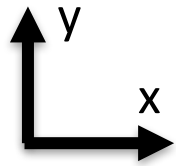
● State College, PA

NP North Pole

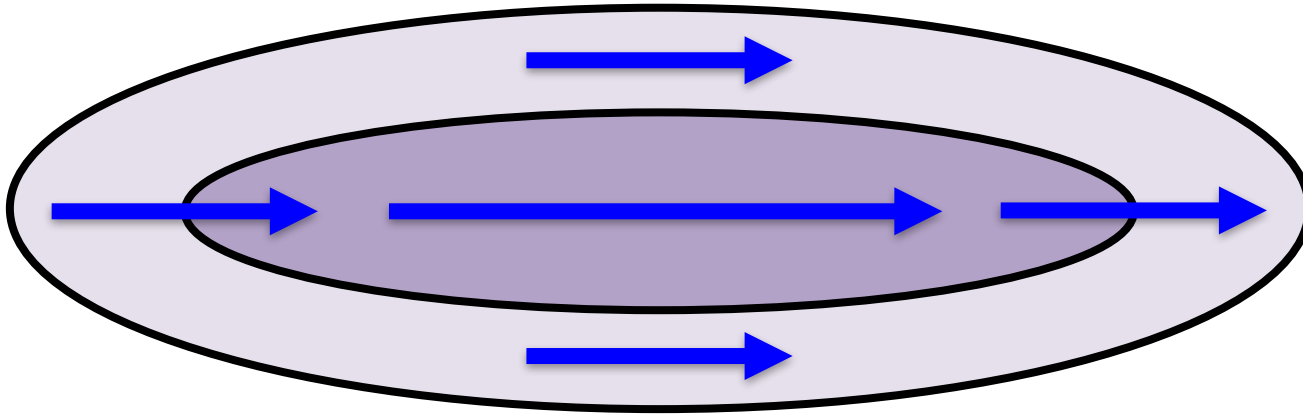






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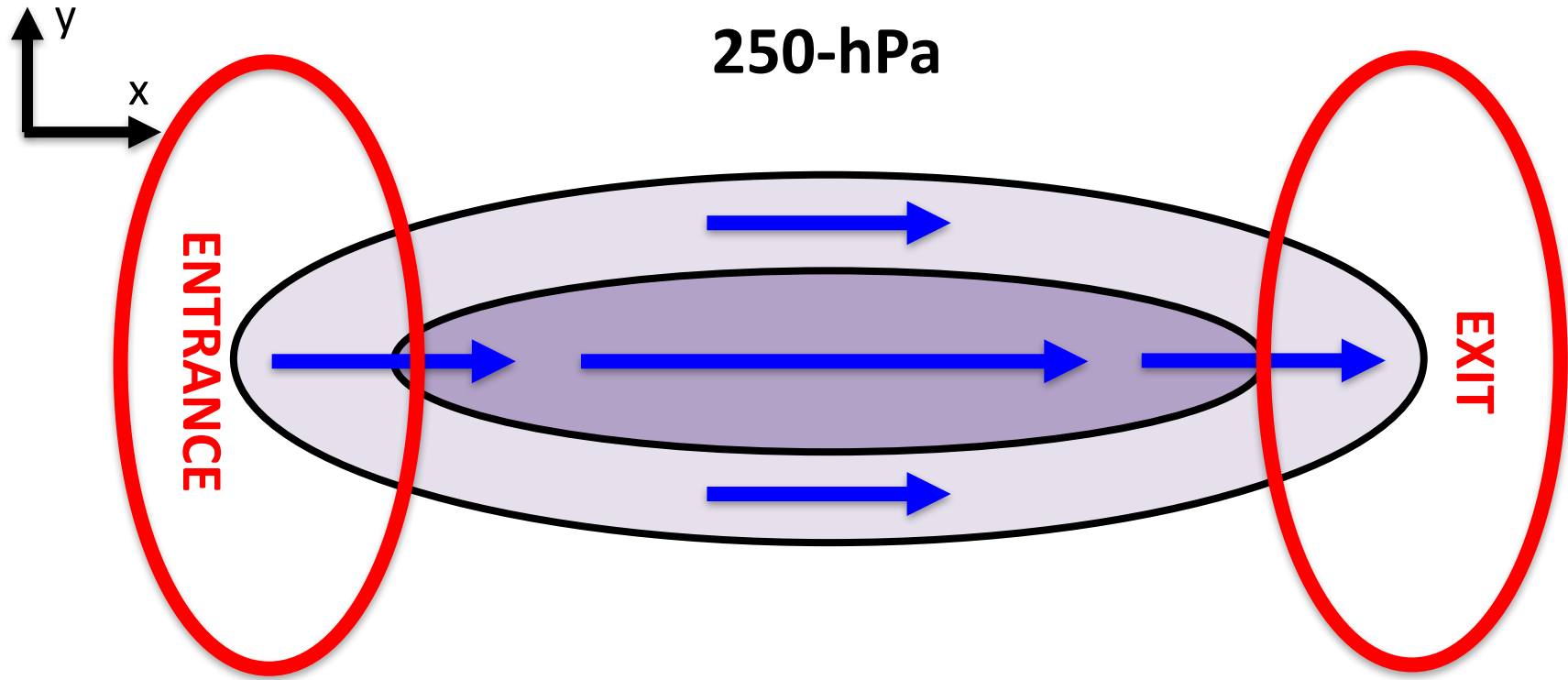
250-hPa







-  No wind speed
-  Slow wind speed
-  Fast wind speed
-  Wind Vectors

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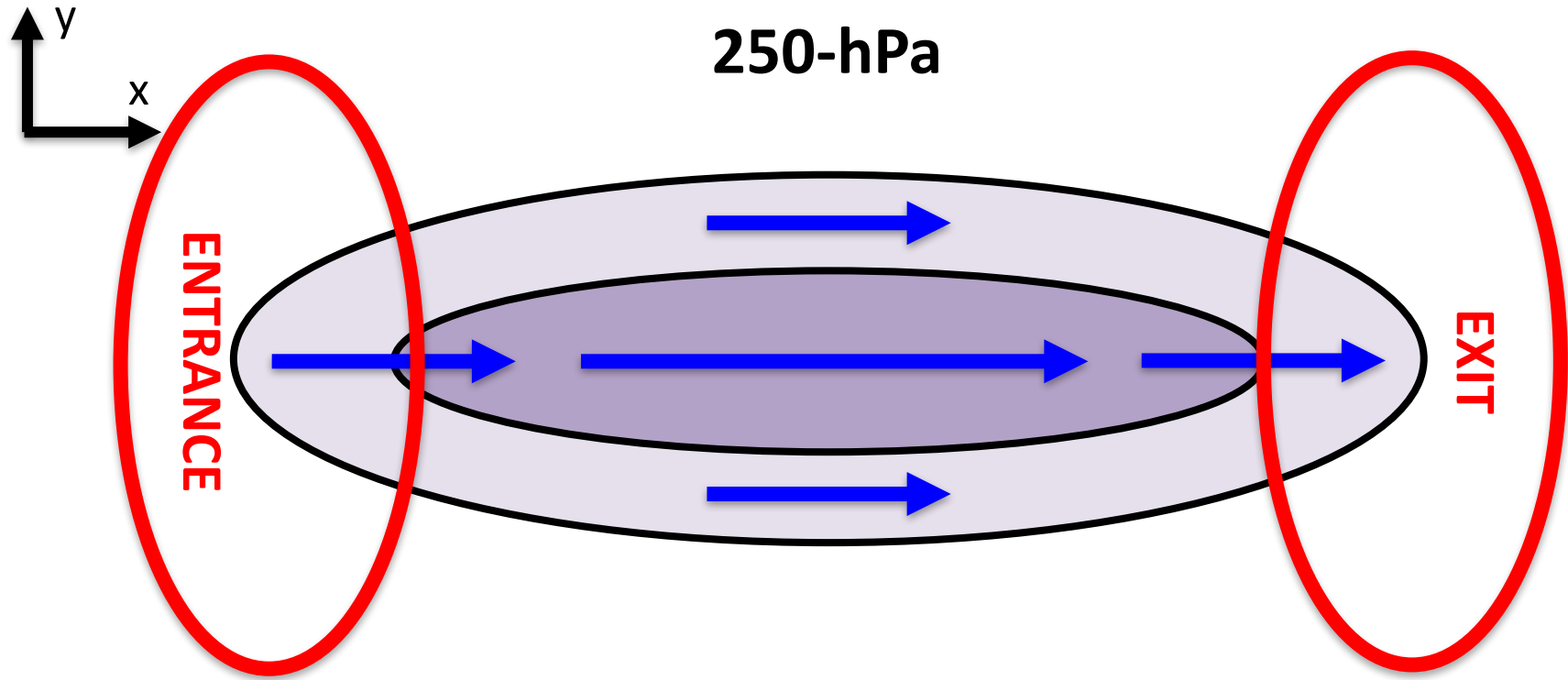
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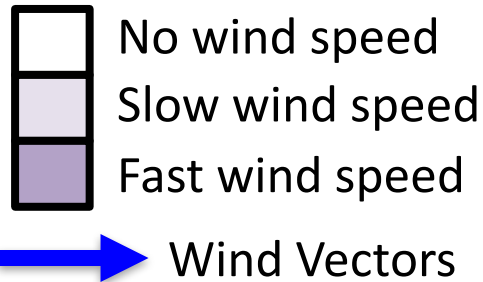
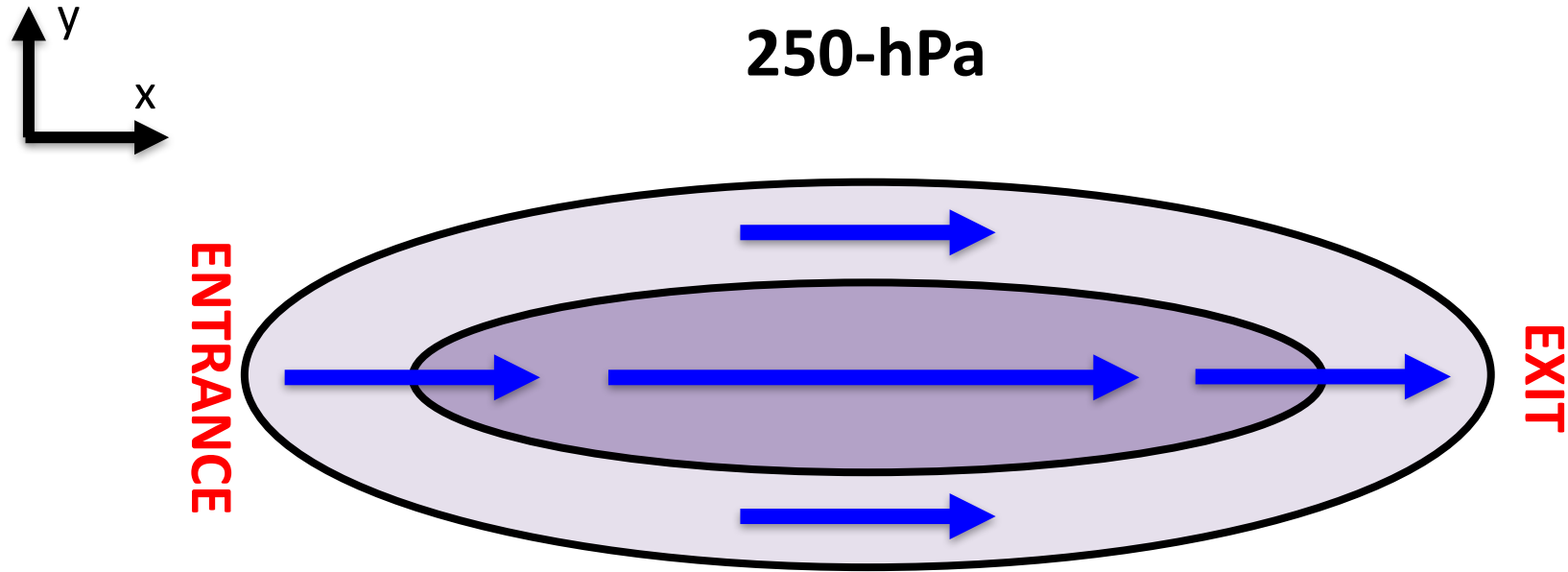
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Areas where the wind accelerates or decelerates are important for generating weather



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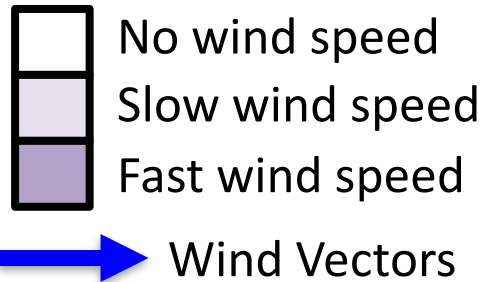
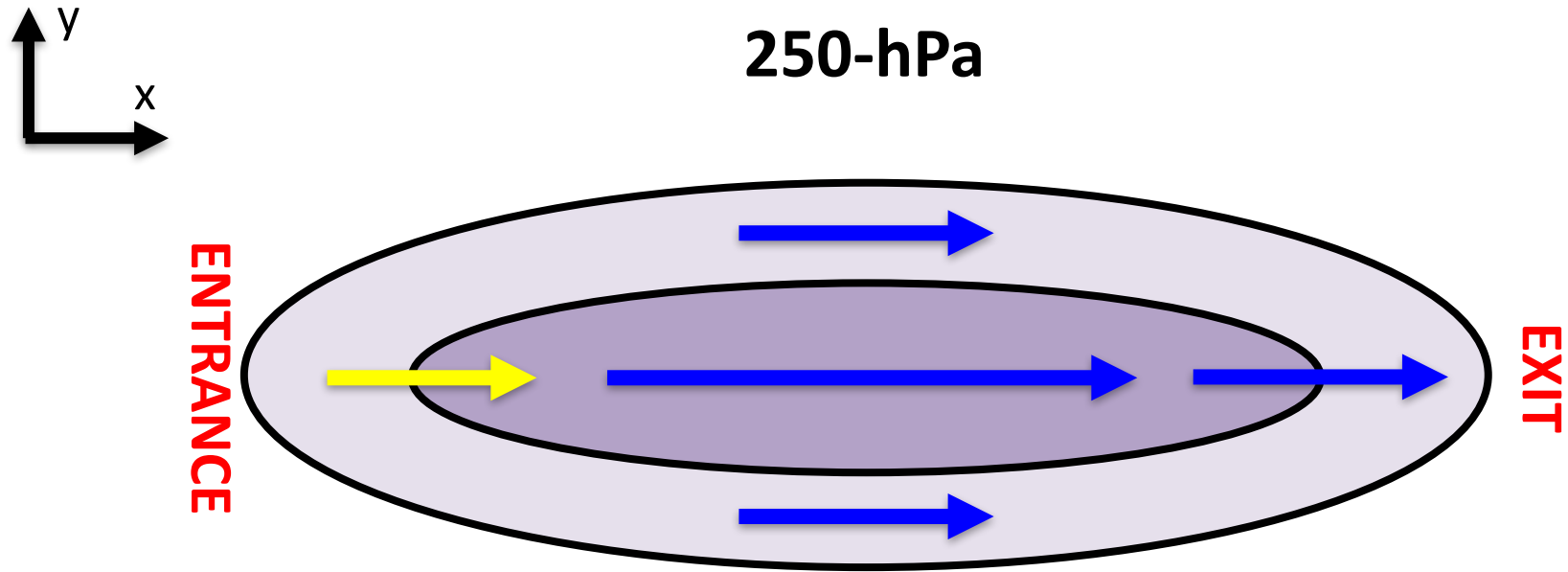
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$$\frac{k}{f} \times \frac{d\vec{V}}{dt} = \vec{V}_{ag}$$

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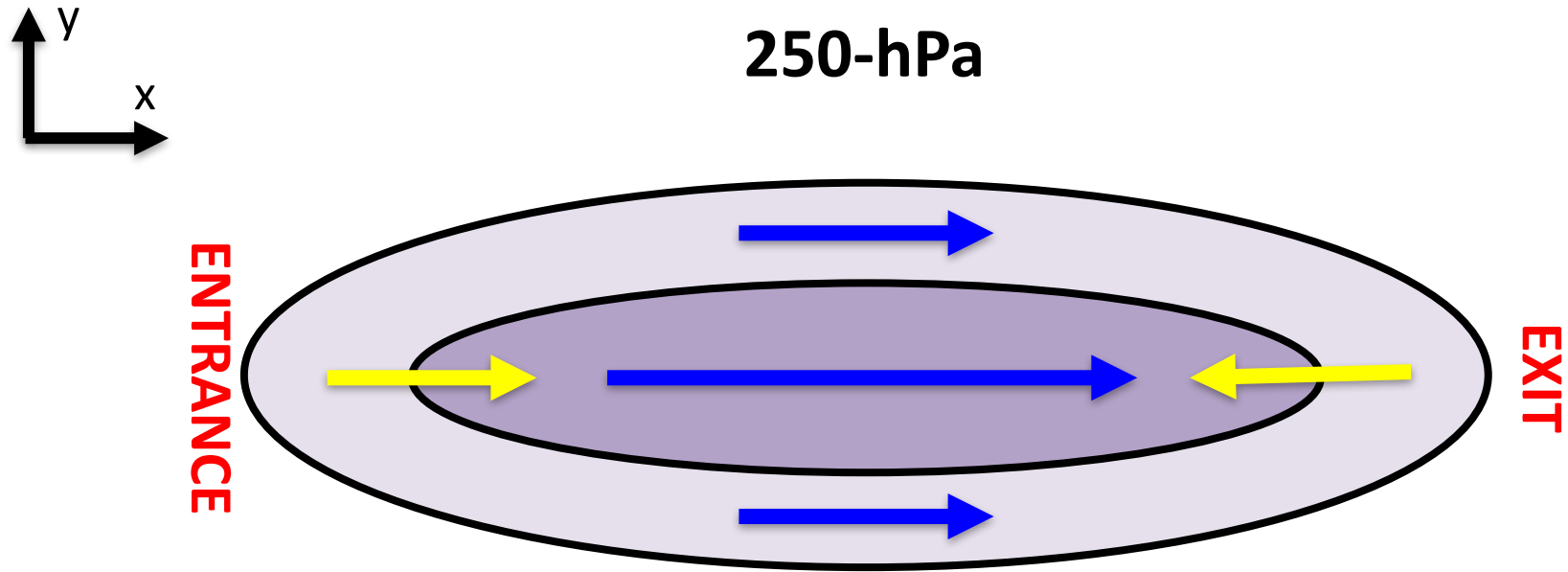
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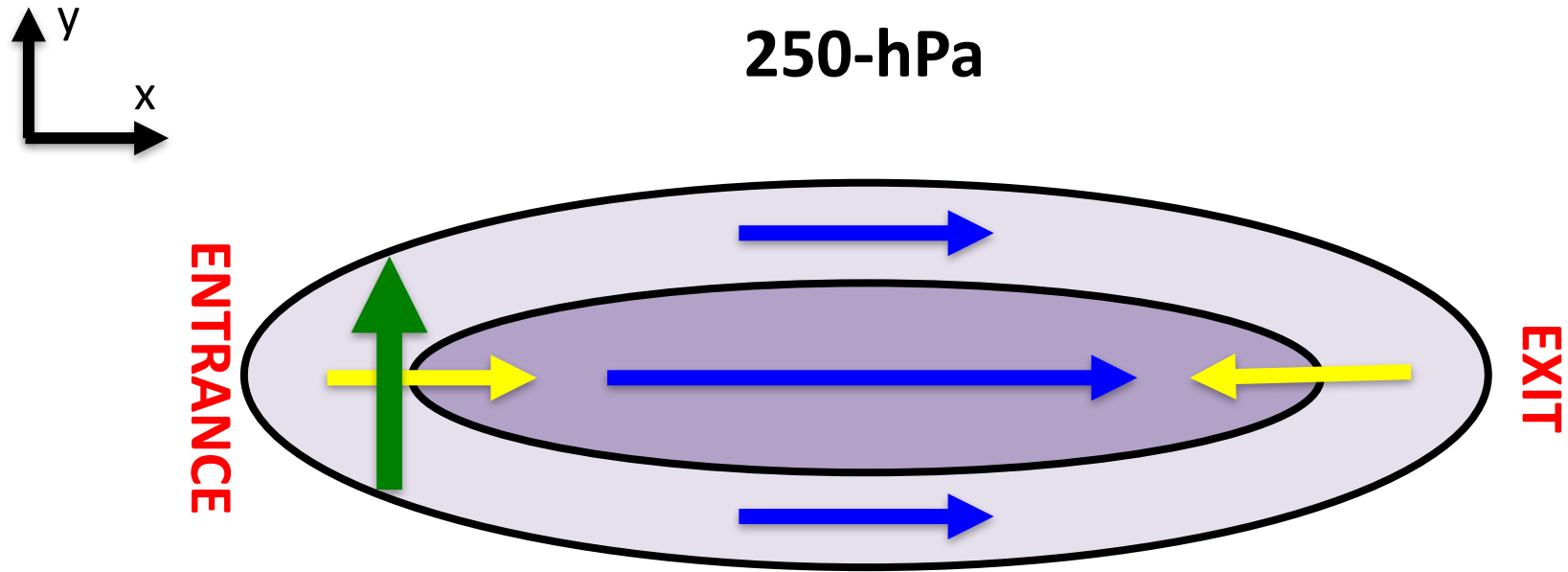






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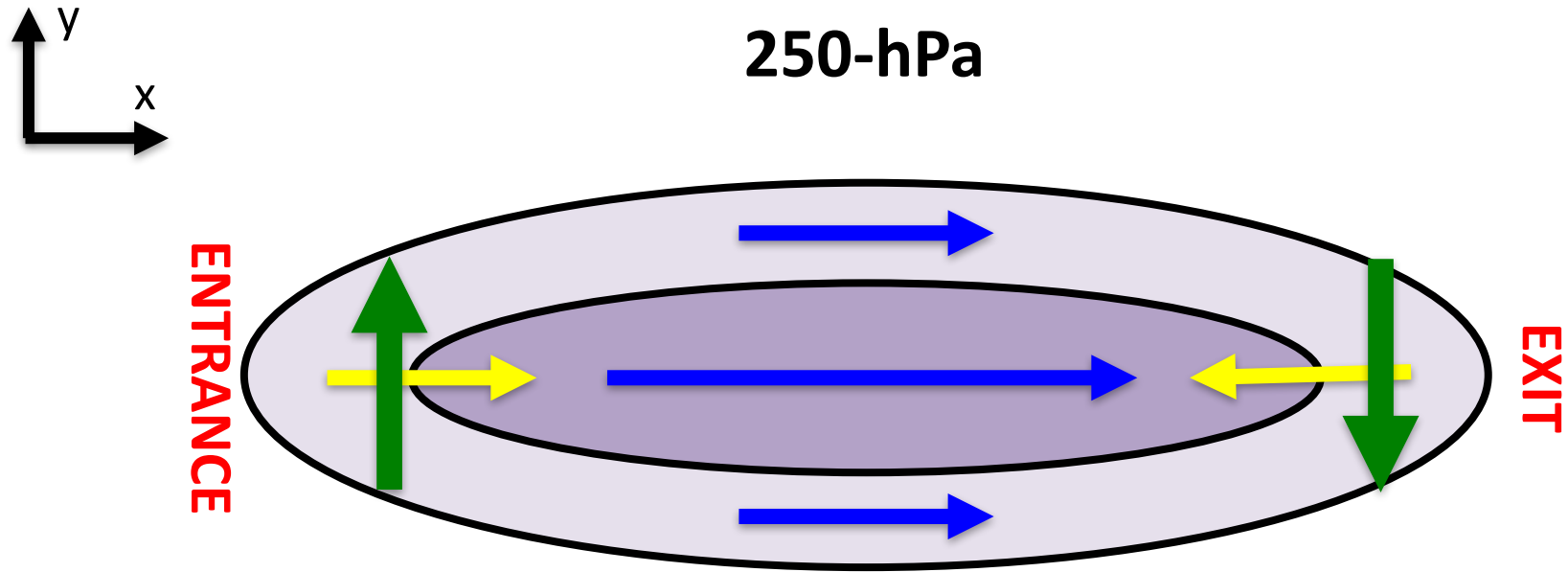
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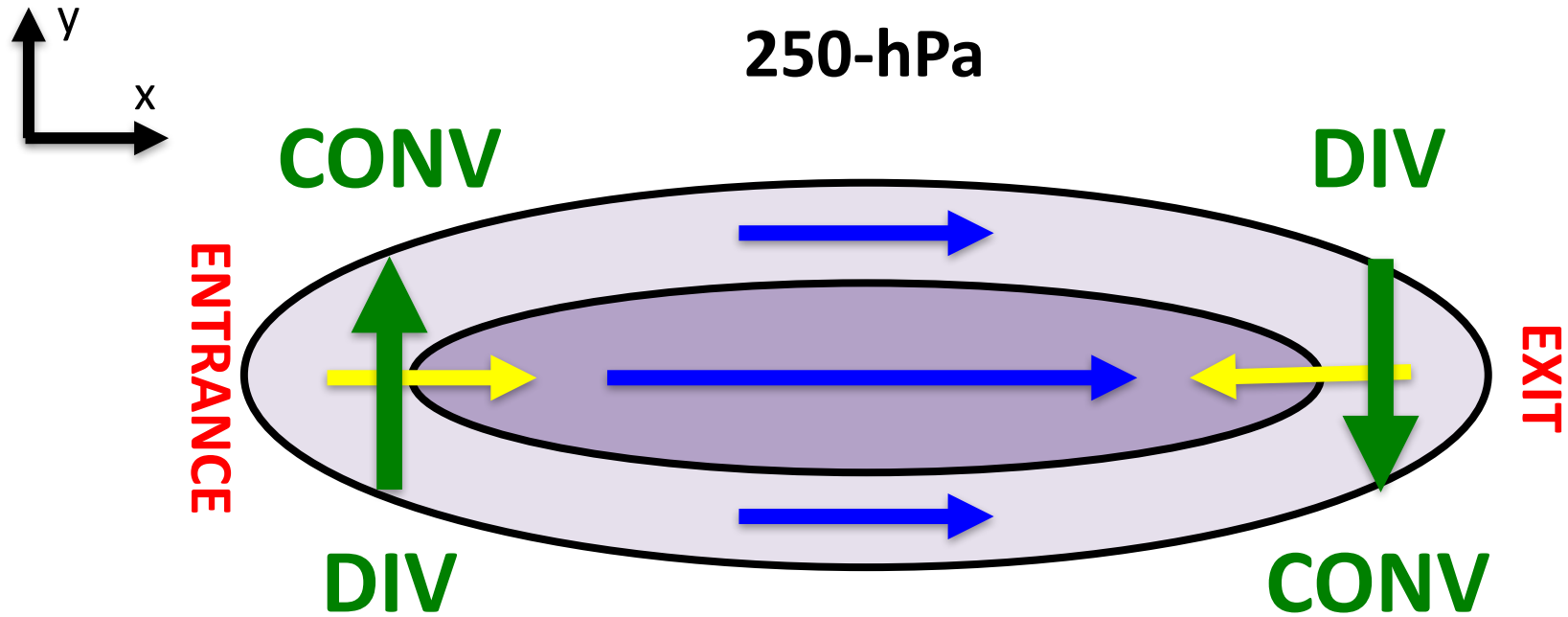
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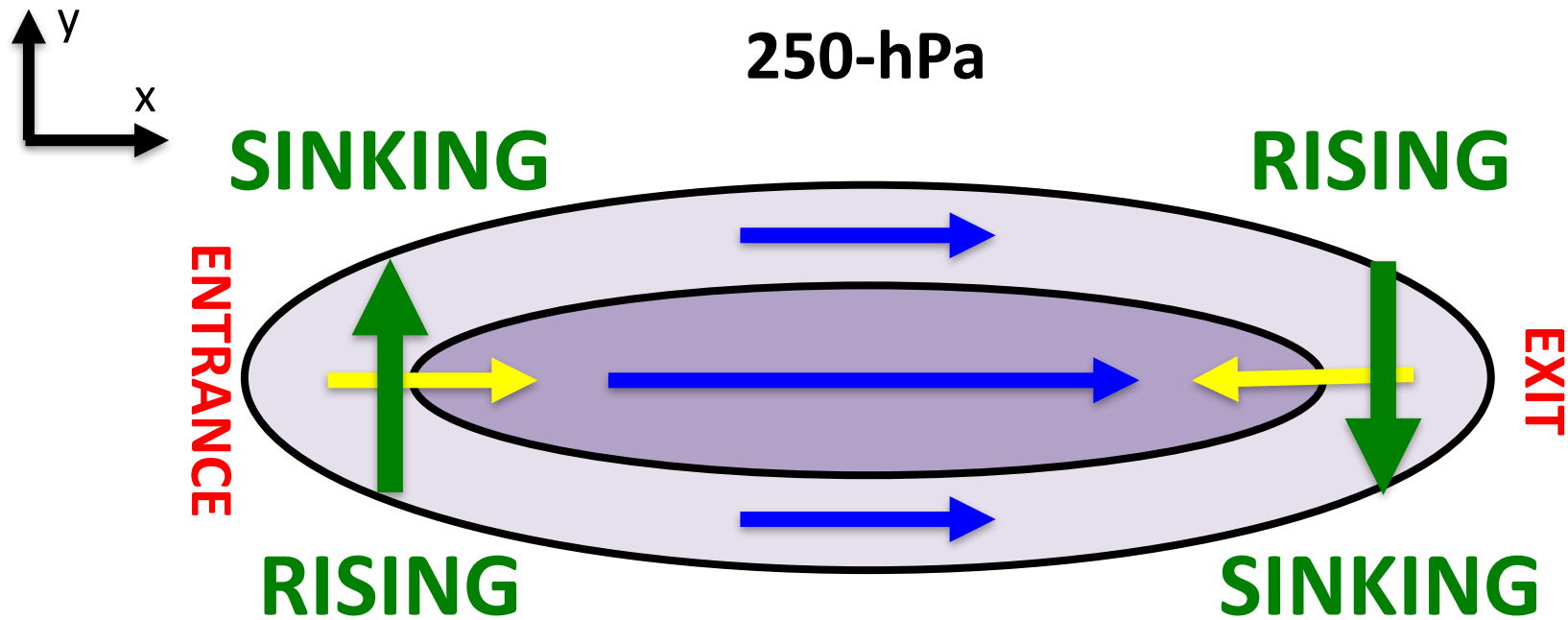
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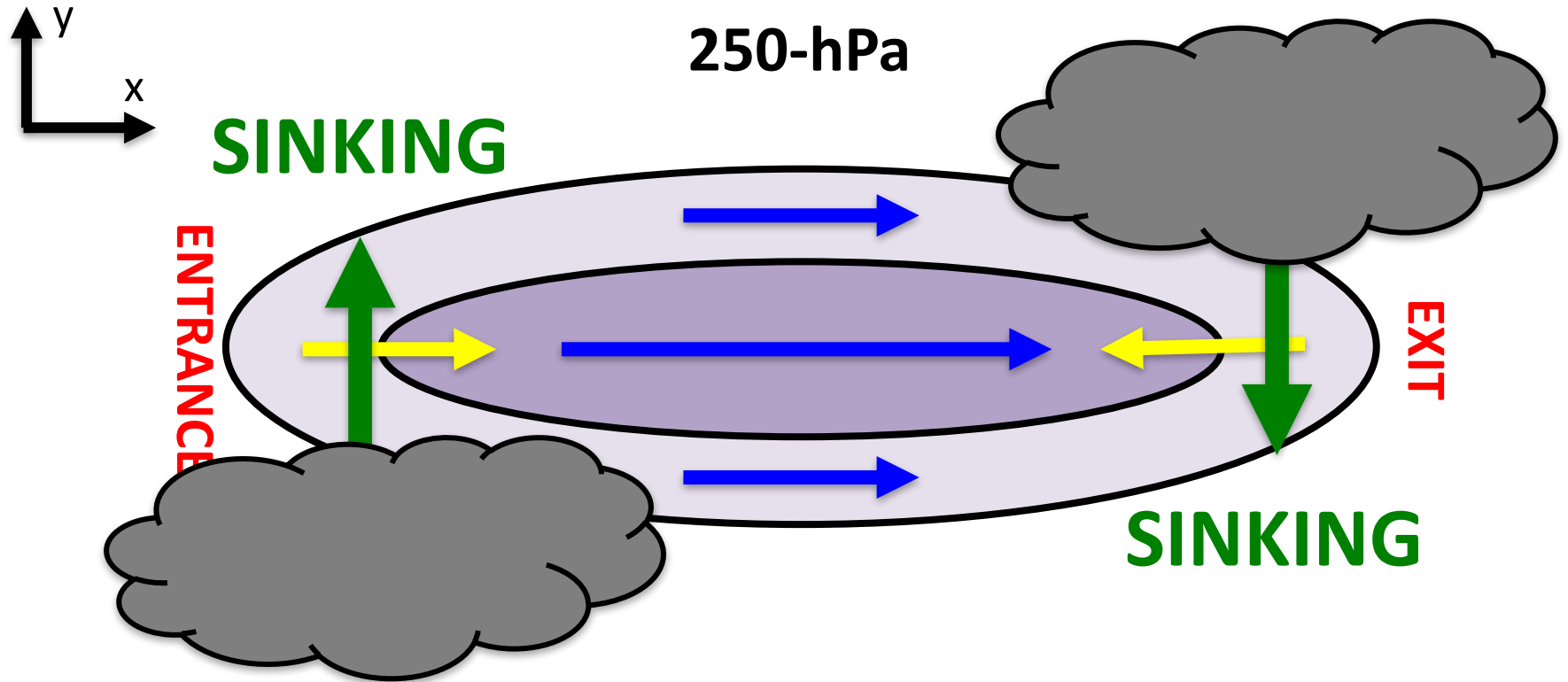






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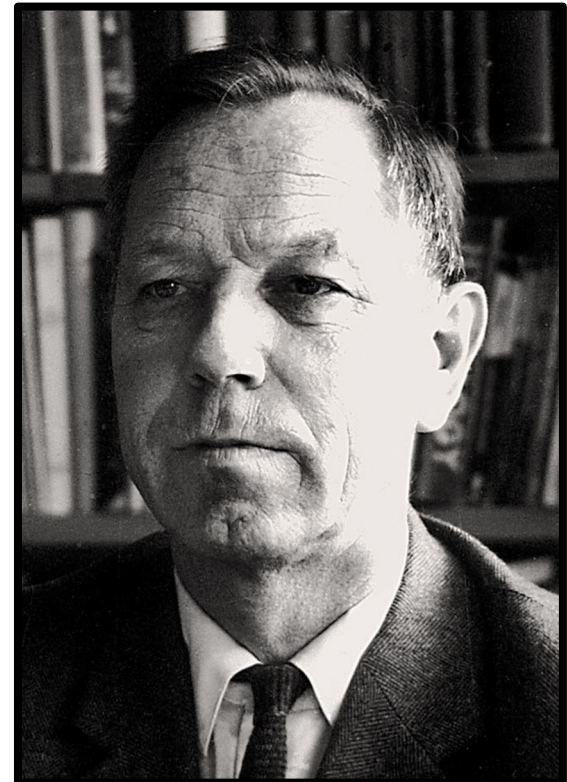


# Transverse Jet Circulations

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The **Sawyer (1956)–Eliassen (1962) Circulation Equation** provides a way to diagnose the transverse circulations associated with active fronts.

**Arnt Eliassen**



Norwegian Encyclopedia

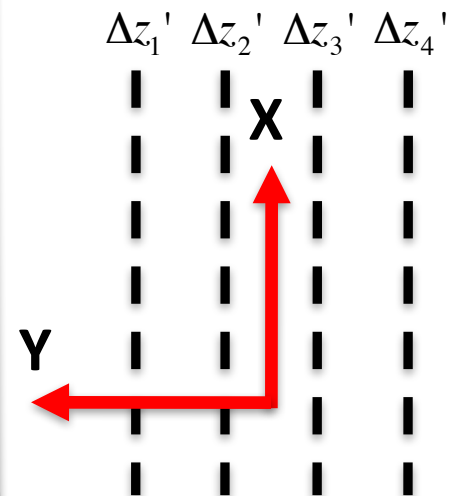
# Sawyer–Eliassen Circulation Equation

$$\left(-\gamma \frac{\partial \theta}{\partial p}\right) \frac{\partial^2 \psi}{\partial y^2} + \left(2\gamma \frac{\partial \theta}{\partial y}\right) \frac{\partial^2 \psi}{\partial p \partial y} + \left(-\frac{\partial u_g}{\partial y} + f\right) \frac{\partial^2 \psi}{\partial p^2} = Q_g - \gamma \frac{\partial}{\partial y} \left(\frac{d\theta}{dt}\right)$$

Where:

$$\omega = \frac{\partial \psi}{\partial y}$$

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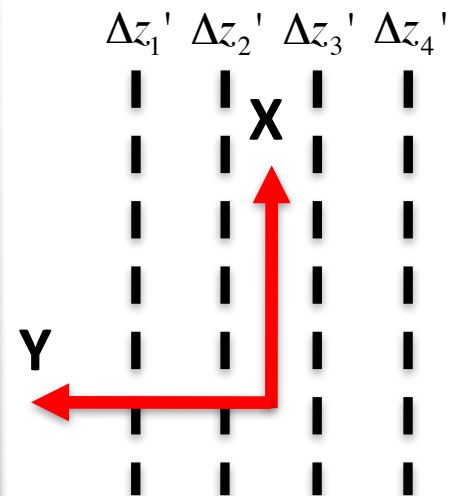
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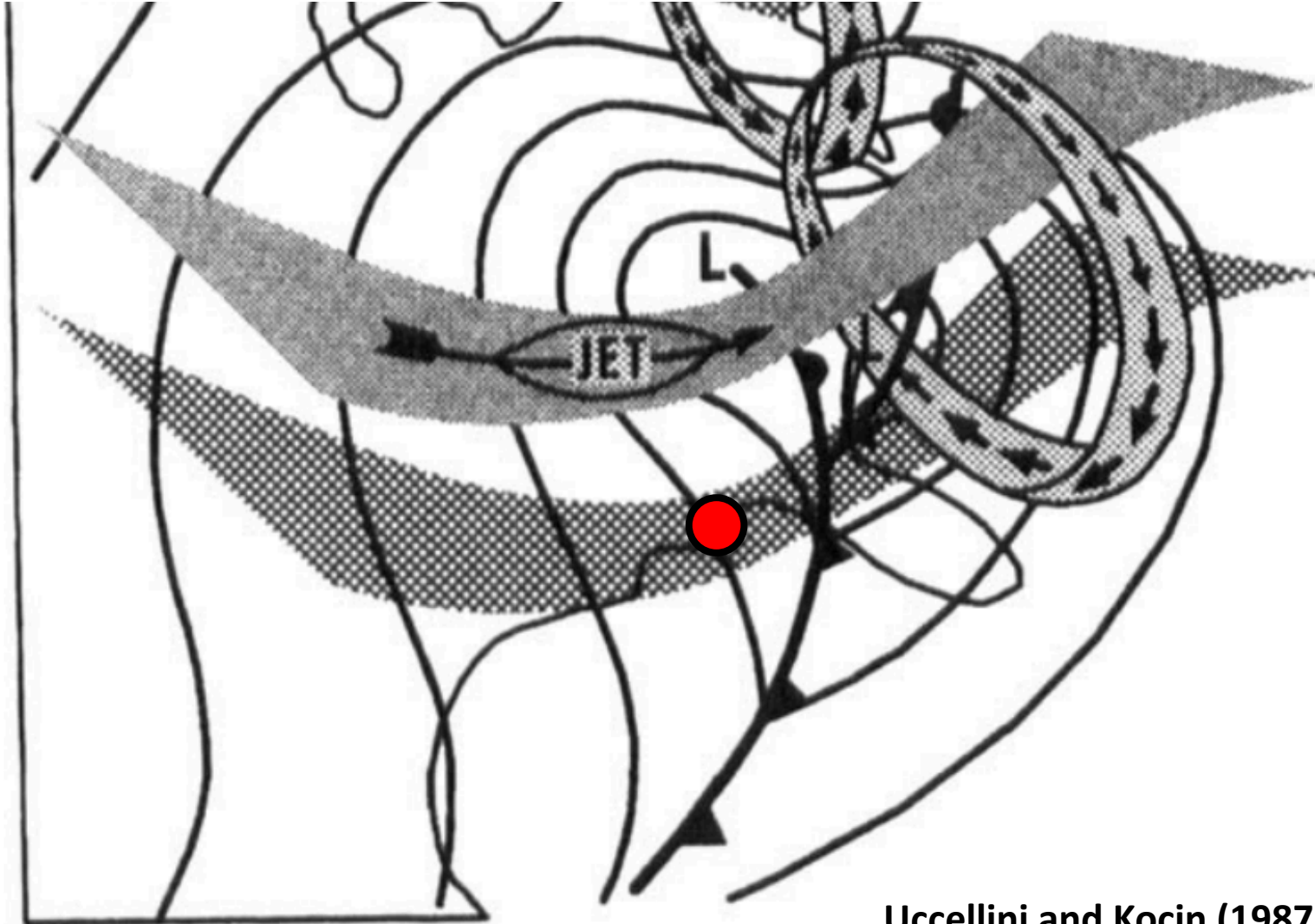
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# Sawyer–Eliassen Circulation Equation

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Uccellini and Kocin (1987)

# Sawyer–Eliassen Circulation Equation

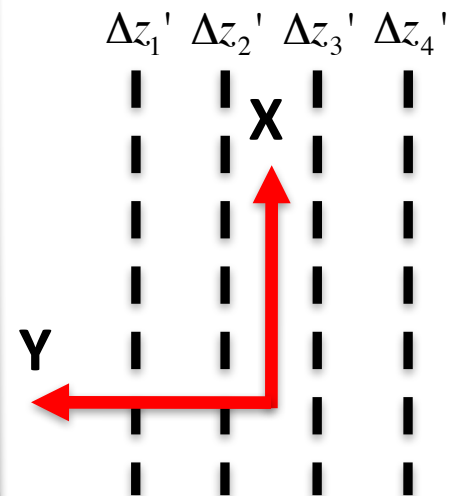
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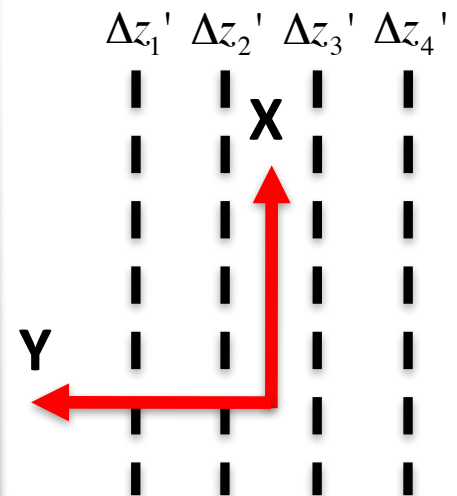
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## Static Stability

Where:

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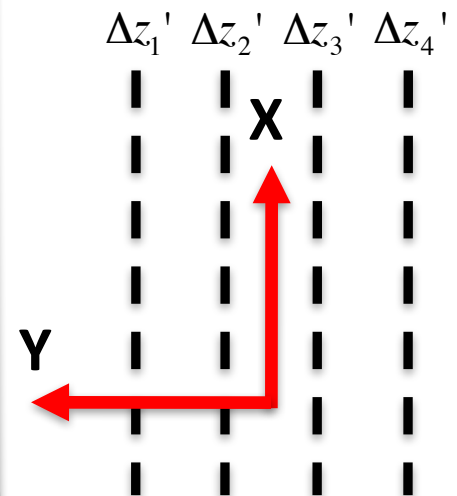
Static Stability

Across-Front Baroclinicity

Where:

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# Sawyer–Eliassen Circulation Equation

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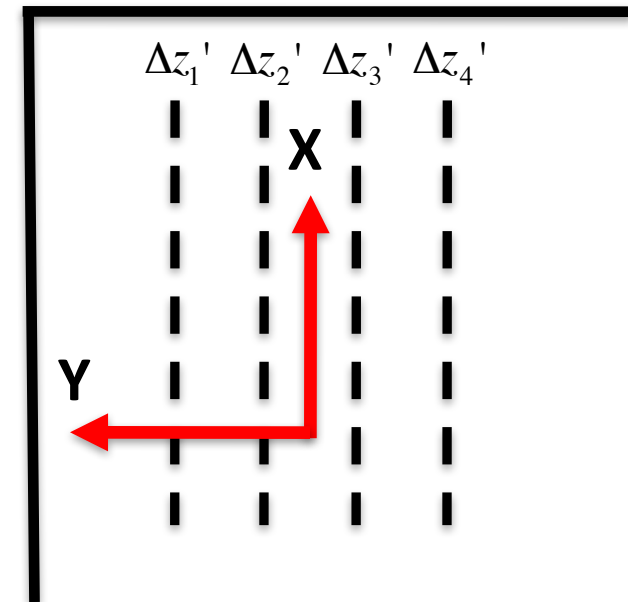
Across-Front Baroclinicity

Horizontal Absolute Vorticity

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# Sawyer–Eliassen Circulation Equation

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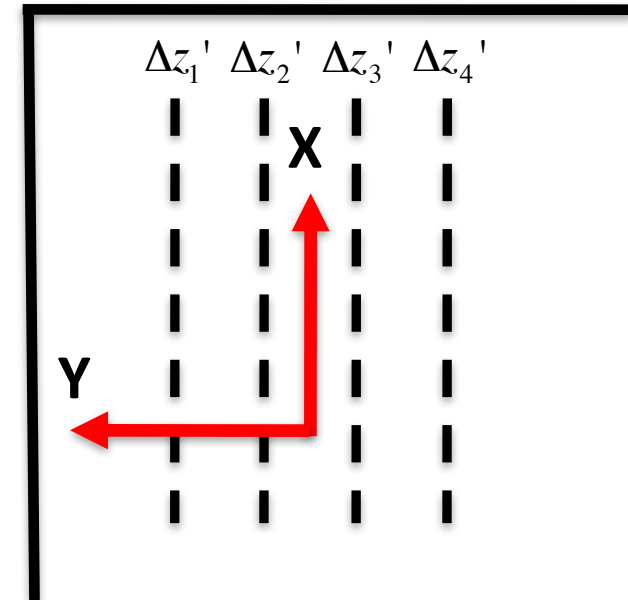
Horizontal Absolute Vorticity

Frontal  
Characteristics

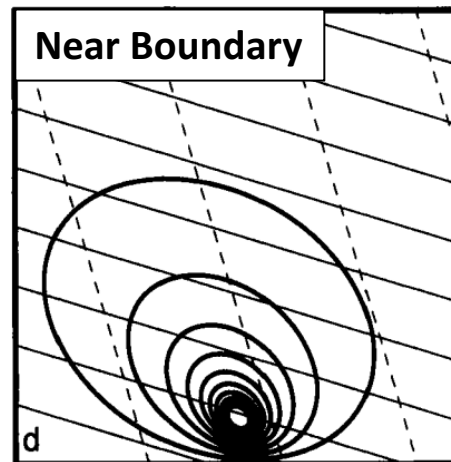
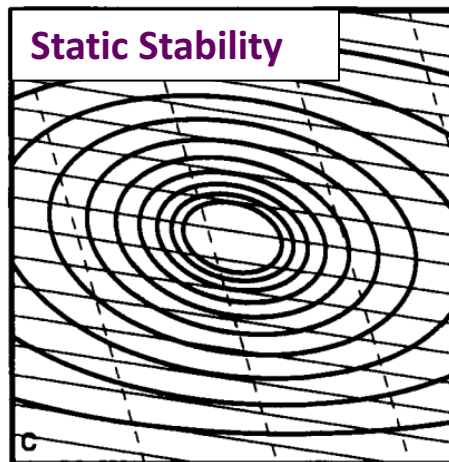
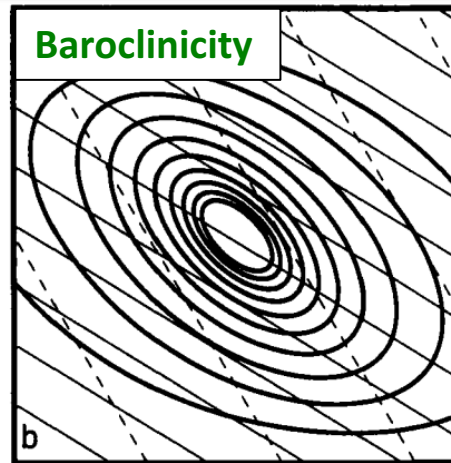
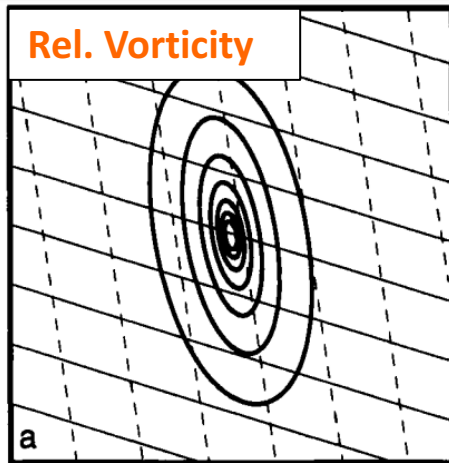
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# Sawyer–Eliassen Circulation Equation



**Hakim and Keyser (2001)**

How do the coefficients of the Sawyer–Eliassen Equation modulate the resultant circulation?

$$\left(-\gamma \frac{\partial \theta}{\partial p}\right) \frac{\partial^2 \psi}{\partial y^2} + \left(2\gamma \frac{\partial \theta}{\partial y}\right) \frac{\partial^2 \psi}{\partial p \partial y} + \left(-\frac{\partial u_g}{\partial y} + f\right) \frac{\partial^2 \psi}{\partial p^2} = Q_g - \gamma \frac{\partial}{\partial y} \left(\frac{d\theta}{dt}\right)$$

# Sawyer–Eliassen Circulation Equation

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Static Stability

Across-Front Baroclinicity

Horizontal Absolute Vorticity

Frontal  
Characteristics

Geostrophic  
and Diabatic  
Forcing

Where:

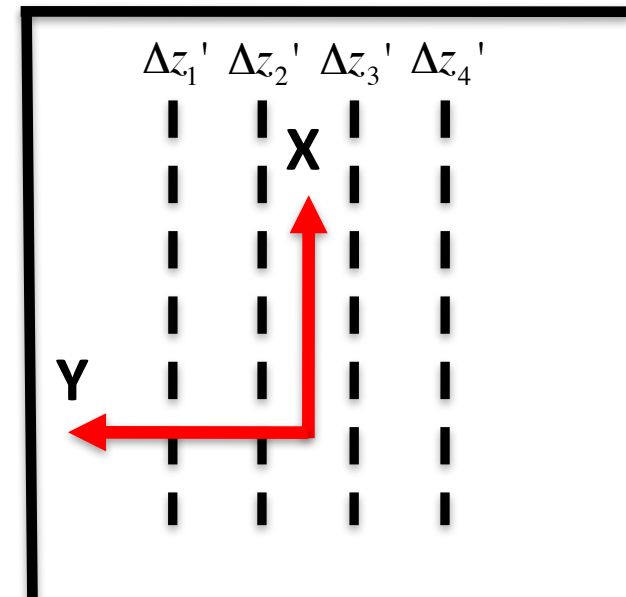
$$\omega = \frac{\partial \psi}{\partial y}$$

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$$Q_g = 2\gamma \left( \underbrace{\frac{\partial U_g}{\partial y} \frac{\partial \theta}{\partial x}}_{\text{Shearing}} + \underbrace{\frac{\partial V_g}{\partial y} \frac{\partial \theta}{\partial y}}_{\text{Confluence}} \right)$$

Shearing

Confluence



# Sawyer–Eliassen Circulation Equation

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$$\left(-\gamma \frac{\partial \theta}{\partial p}\right) \frac{\partial^2 \psi}{\partial y^2} + \left(2\gamma \frac{\partial \theta}{\partial y}\right) \frac{\partial^2 \psi}{\partial p \partial y} + \left(-\frac{\partial u_g}{\partial y} + f\right) \frac{\partial^2 \psi}{\partial p^2} = Q_g - \gamma \frac{\partial}{\partial y} \left(\frac{d\theta}{dt}\right)$$

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# Sawyer–Eliassen Circulation Equation

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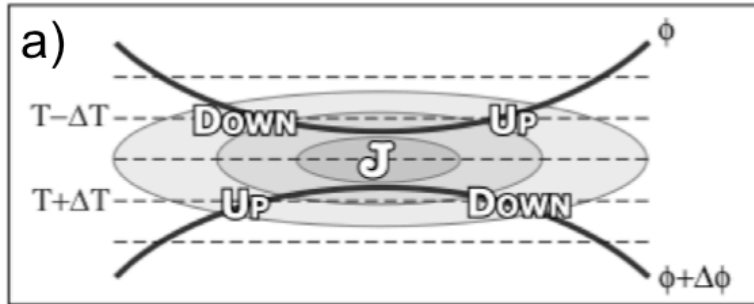
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# Sawyer–Eliassen Circulation Equation

$$\left(-\gamma \frac{\partial \theta}{\partial p}\right) \frac{\partial^2 \psi}{\partial y^2} + \left(2\gamma \frac{\partial \theta}{\partial y}\right) \frac{\partial^2 \psi}{\partial p \partial y} + \left(-\frac{\partial u_g}{\partial y} + f\right) \frac{\partial^2 \psi}{\partial p^2} = Q_g$$

No Temp.  
Advection



$$Q_g = 2\gamma \left( \frac{\partial V_g}{\partial y} \frac{\partial \theta}{\partial y} \right)$$

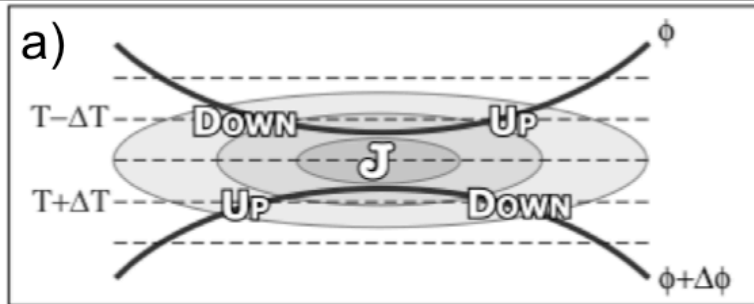
┌──────────┐     ┌──────────┐  
Shearing     Confluence

The absence of any along-jet temperature advection returns the traditional four-quadrant model.

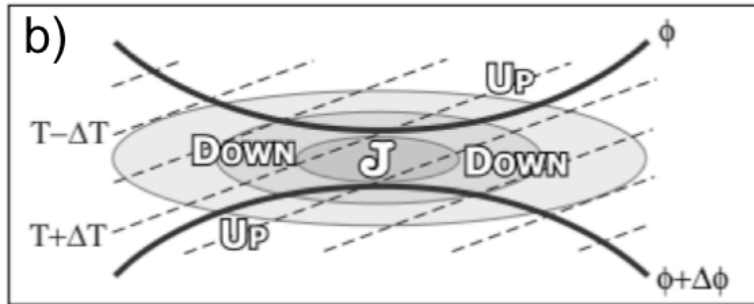
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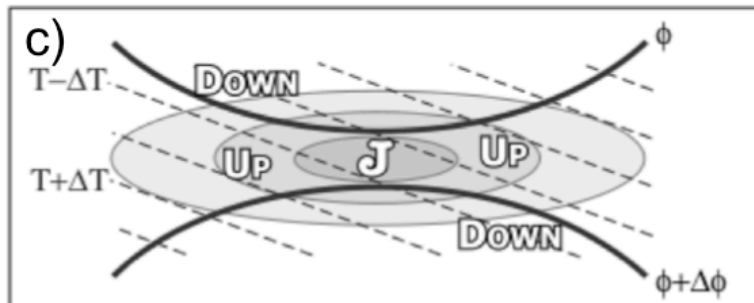
No Temp.  
Advection



Geo. CAA



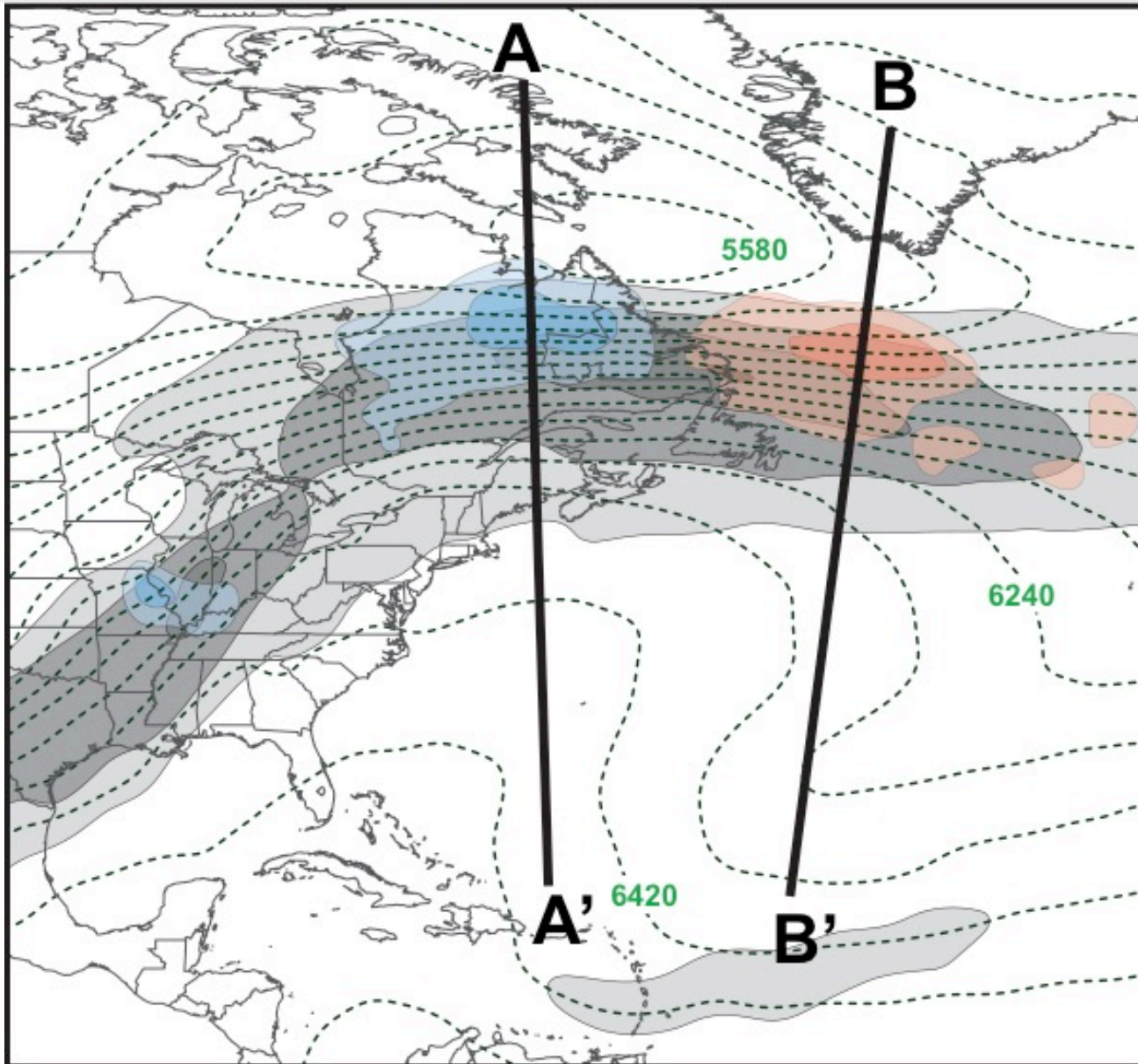
Geo. WAA



$$Q_g = 2\gamma \left( \underbrace{\frac{\partial U_g}{\partial y} \frac{\partial \theta}{\partial x}}_{\text{Shearing}} + \underbrace{\frac{\partial V_g}{\partial y} \frac{\partial \theta}{\partial y}}_{\text{Confluence}} \right)$$

Along-jet temperature  
advection acts to  
“shift” the circulations  
relative to the jet axis.

# Sawyer–Eliassen Circulation Equation



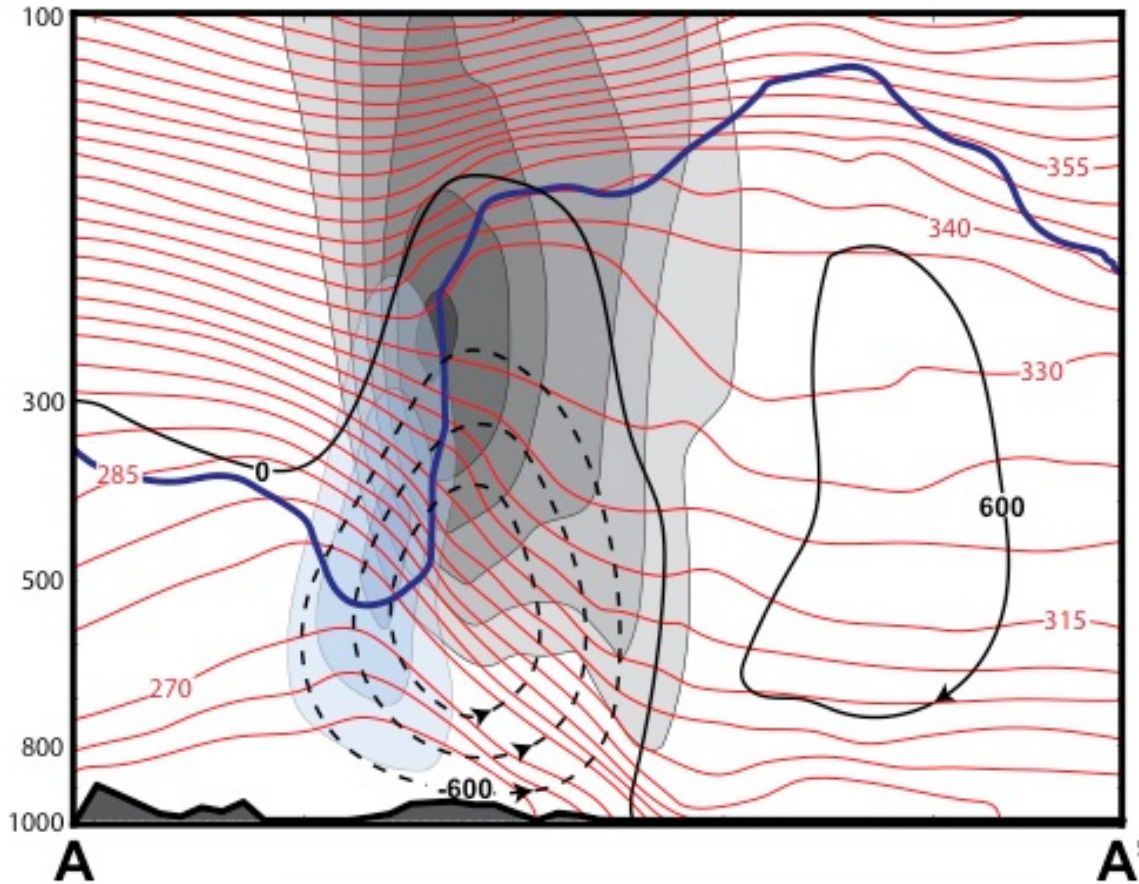
1200 UTC  
22 Dec 2013

**Geo. CAA** in the  
jet entrance  
region

**Geo. WAA** in  
the jet exit  
region



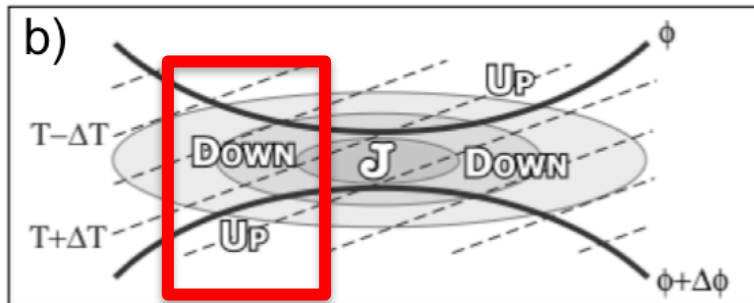
# Sawyer–Eliassen Circulation Equation



1200 UTC  
22 Dec 2013

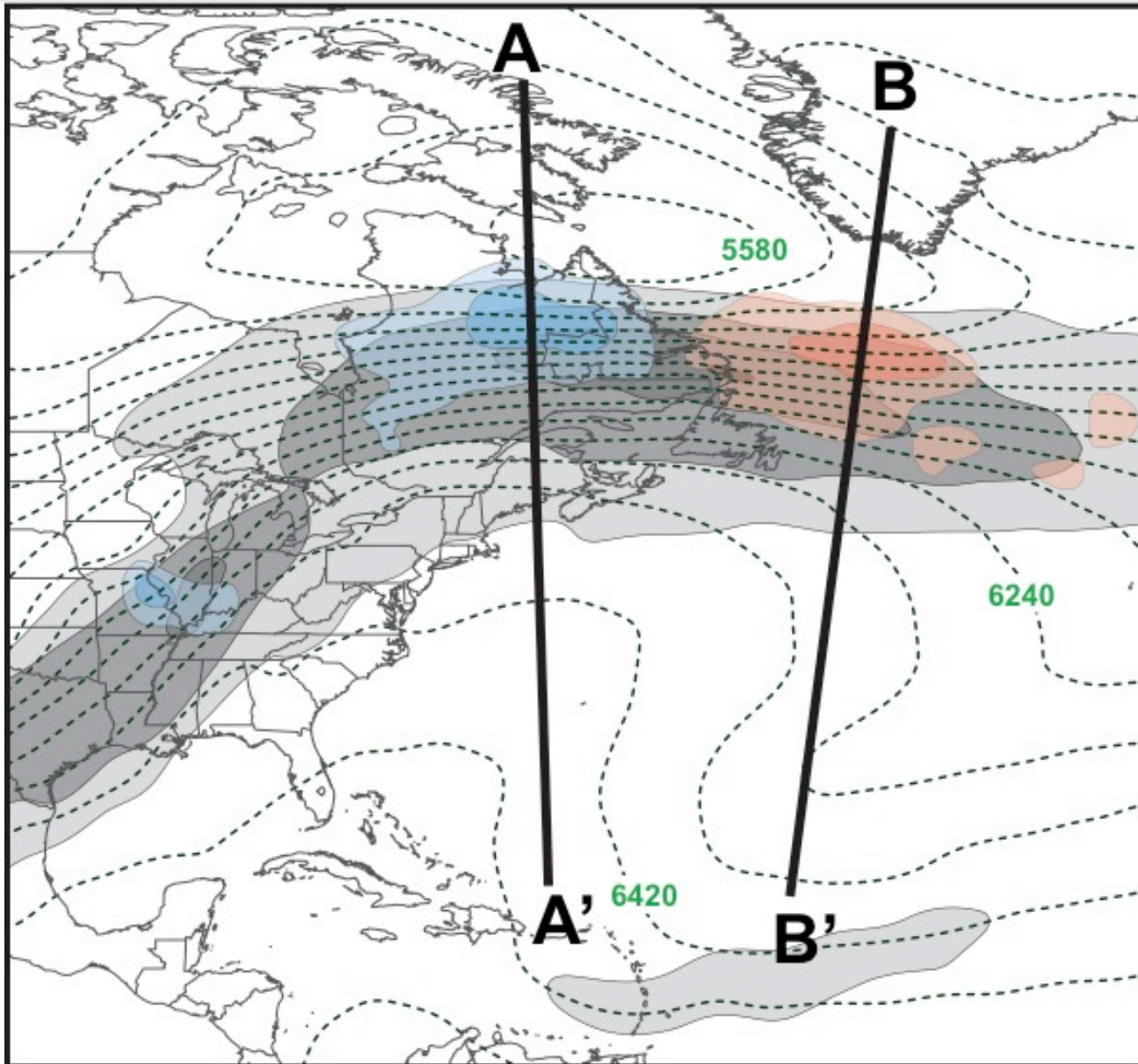
The result is a  
**thermally direct**  
circulation.

**Subsidence** is present  
slightly poleward of the  
jet core.



**Geo. CAA**

# Sawyer–Eliassen Circulation Equation

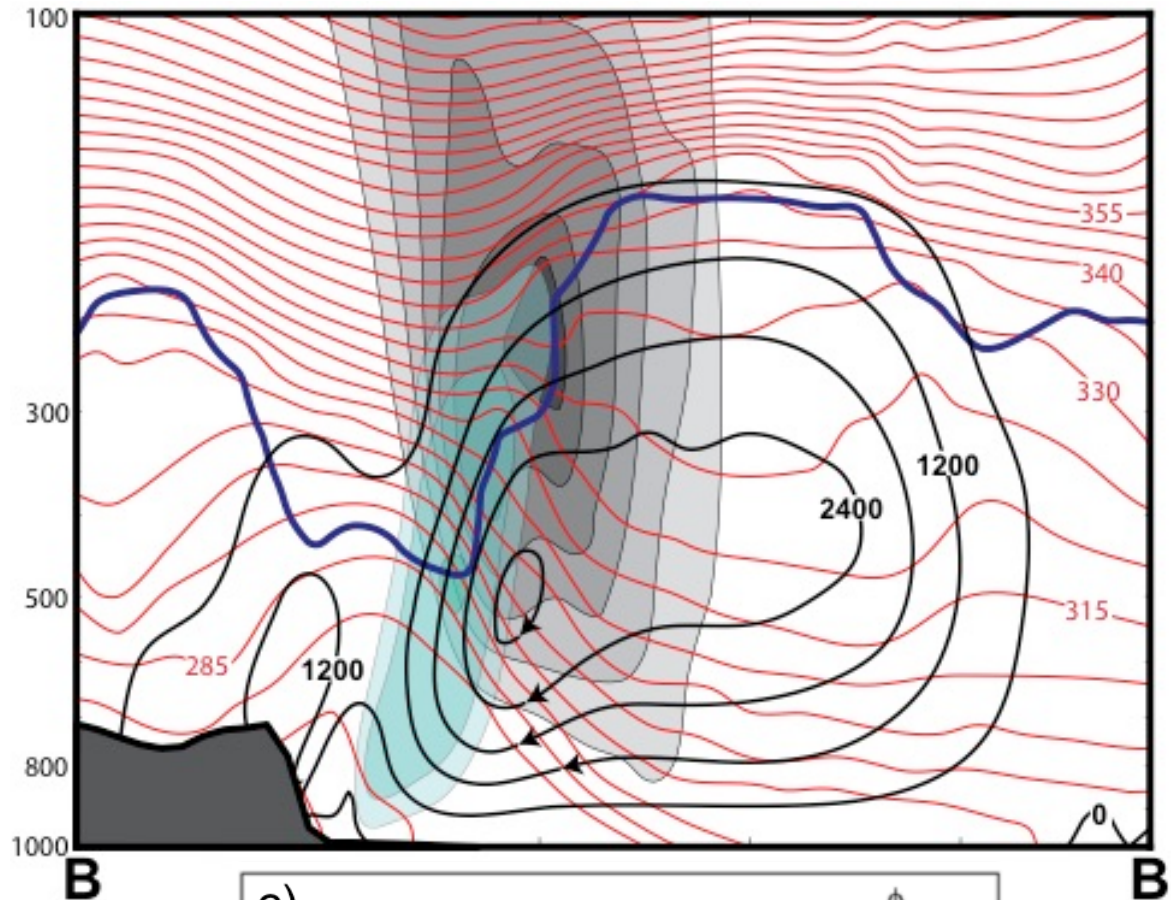


1200 UTC  
22 Dec 2013

**Geo. CAA** in the  
jet entrance  
region

**Geo. WAA** in  
the jet exit  
region

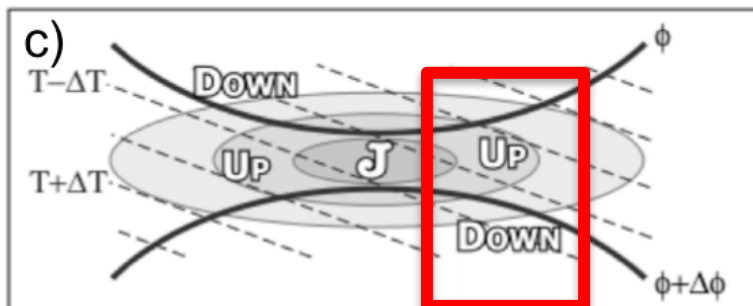
# Sawyer–Eliassen Circulation Equation



1200 UTC  
22 Dec 2013

The result is a  
**thermally indirect**  
circulation.

**Ascent** is present  
slightly poleward of  
the jet core.



**Geo. WAA**

# How do Jet Streams Impact the Weather?

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## Impacts of Transverse Jet Circulations on the Production of Sensible Weather

### – Severe Weather Outbreaks

(e.g., Omoto 1965; Uccellini and Johnson 1979; Hobbs et al. 1990; Martin et al. 1993)

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### – Cyclogenesis

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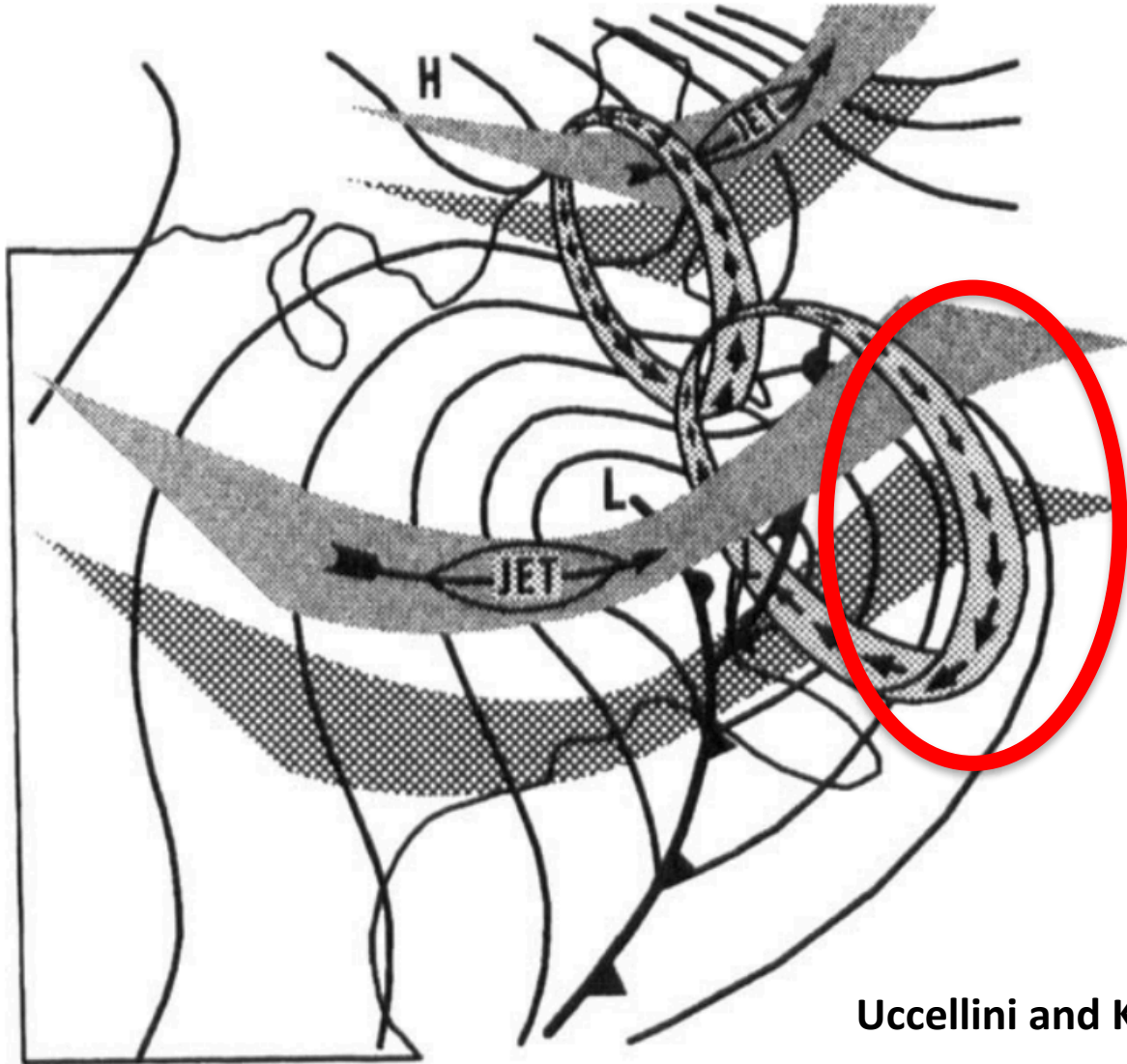
(e.g., Uccellini et al. 1984; Uccellini et al. 1985; Uccellini and Kocin 1987; Whitaker et al. 1988; Barnes and Colman 1993; Lackmann et al. 1997)

### – Moisture Transport

(e.g., Uccellini and Johnson 1979; Uccellini et al. 1984; Uccellini and Kocin 1987; Winters and Martin 2014)

# How do Jet Streams Impact the Weather?

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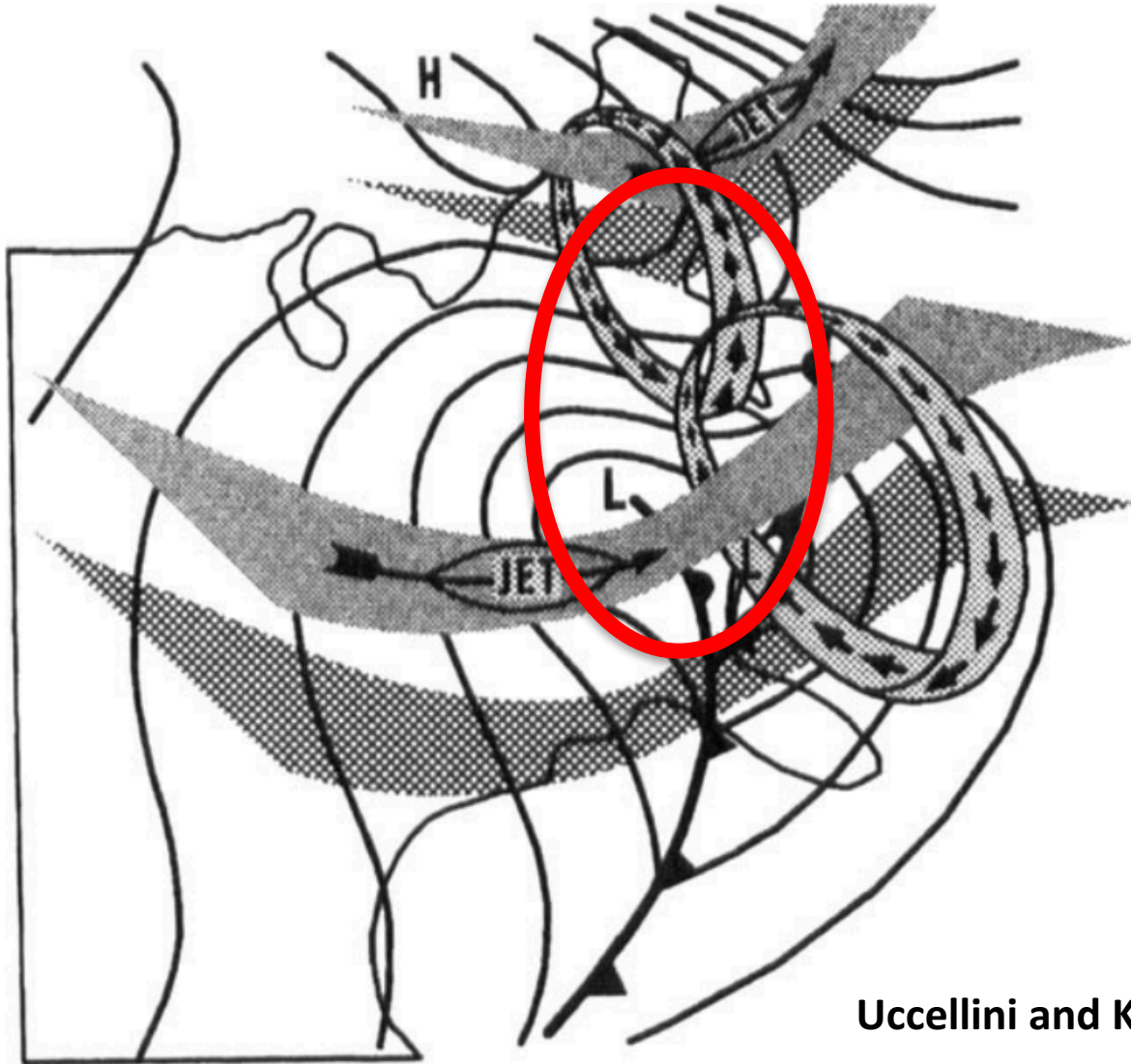


- 1) Severe Weather Outbreaks

Uccellini and Kocin (1987)

# How do Jet Streams Impact the Weather?

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1) Severe  
Weather  
Outbreaks

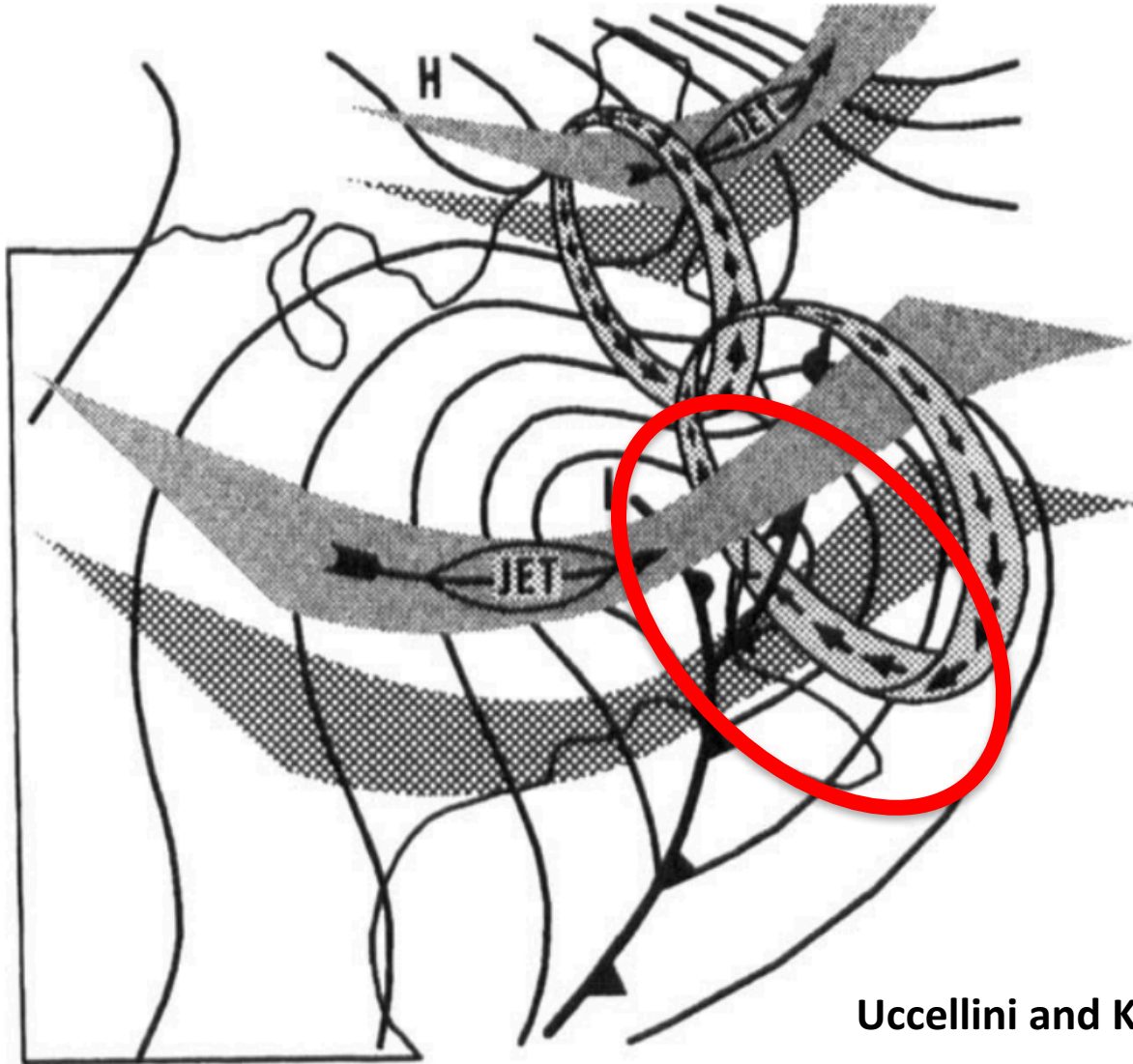
2) **Cyclogenesis**

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- 1) Severe Weather Outbreaks
- 2) Cyclogenesis
- 3) Moisture Transport**

Uccellini and Kocin (1987)

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