Tropical Cyclone Track Sensitivity in Deformation Steering Flow

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ABSTRACT

Previous studies have suggested that tropical cyclones (TCs) in deformation steering flows can be associated with large position errors and uncertainty. The goal of this study is to evaluate the sensitivity of position forecasts for three TCs within deformation wind fields (Debby 2012; Joaquin 2015; Lionrock 2016) using the ensemble-based sensitivity technique applied to European Center for Medium Range Weather Forecasts (ECMWF) ensemble forecasts. In all three cases, the position forecasts are sensitive to uncertainty in the steering wind within 500 km of the 0-h TC position. Subsequently, the TC moves onto either side of the axis of contraction due to the ensemble perturbation steering flow. As a TC moves away from the saddle point, the ensemble members subsequently experience different ensemble-mean steering winds, which act to move the TC away from the ensemble-mean TC position along the axis of dilatation. By contrast, the position forecasts appear to exhibit less sensitivity to the steering wind more than 500 km from the initial TC position, even though the TC may interact with these features later in the forecast. Furthermore, forecasts initialized at later times are characterized by significantly lower position errors and uncertainty once it becomes clear on which side of the axis of contraction the TC will move. These results suggest that TCs in deformation steering flow could be inherently unpredictable and may benefit from densely sampling the near-storm steering flow and TC structure early in their lifetime.
1. Introduction

One of the great achievements of numerical weather prediction (NWP) has been the significant reduction in tropical cyclone (TC) track errors. This improvement is often attributed to improved model resolution, physics and data assimilation systems (Rappaport et al. 2009). With that being said, there is evidence that the improvement in 0-72 h track forecasts is beginning to level off (e.g., Landsea and Cangialosi 2018); therefore, further reductions in track error may have to be achieved by addressing cases which are characterized by large track errors relative to the mean value (e.g., Yamaguchi et al. 2017). In many of these situations, the track forecast is quite sensitive to specific features, such as upper-tropospheric troughs, leading to anisotropic position variability (i.e., position variability that occurs preferentially in one coordinate direction); therefore, it is of interest to understand how uncertainty in specific features results in large position variability for these cases.

Previous studies have suggested that TC track is primarily a function of the deep-layer wind field (i.e., steering flow, e.g., George and Gray 1976) and the advection of planetary vorticity by the TC circulation (e.g., Holland 1983). In general, the deep-layer steering wind is often closely related to the 500-700-hPa winds (e.g., Chan and Gray 1982); however, individual cases can exhibit large variability in the steering flow depth (e.g., George and Gray 1976; Dong and Neumann 1986; Velden and Leslie 1991; Aberson and DeMaria 1994). Given that the wind speed and direction is often determined by the interaction of large scale features, it is possible that the motion or structure of nearby synoptic-scale features could be associated with TC position errors (e.g., Carr and Elsberry 2000; Wu et al. 2004).

One method of evaluating the origin of TC position errors is through sensitivity analysis, which provides information about how small changes to the initial conditions can impact a forecast met-
ric, such as TC position, at a particular time. Although position forecast sensitivity can exhibit large case-to-case variability and within methods (e.g., Majumdar et al. 2006; Wu and Coauthors 2009; Hoover et al. 2013), previous studies have suggested that TC position forecasts can be sensitive to specific flow features, such as weaknesses in the subtropical ridge, the motion and evolution of midlatitude troughs, the position and speed of the subtropical jet, as well as uncertainty in the 0-h TC steering flow (e.g., Majumdar et al. 2006; Peng and Reynolds 2006; Wu et al. 2007; Chen et al. 2009; Wu and Coauthors 2009; Komaromi et al. 2011; Gombos et al. 2012; Ido and Wu 2013; Nystrom et al. 2018). Furthermore, latent heat release associated with a TC and nearby convection can have an important impact on TC motion by modifying the nearby environment (e.g., Wu and Emanuel 1995a,b; Henderson et al. 1999; Anwender et al. 2008; Harr et al. 2008). In many of these cases, the TC is in close proximity to an upper-tropospheric potential vorticity (PV) anomaly. Furthermore, the divergent outflow from the convection can distort the PV field via advection (e.g., Archambault et al. 2013), leading to changes in the wind in the upper troposphere and hence the steering flow (e.g., Bassill 2014; Torn et al. 2015). As a consequence, it is not surprising that some TC position forecasts are sensitive to the distribution of latent heat release and divergent outflow.

One of the most difficult TC position forecasts appears to be associated with instances when the TC is located along the axis of contraction within a larger-scale deformation wind field. These situations can occur when a TC begins the process of extratropical transition (ET) and are often characterized by large position forecast variability due to the TC moving onto either side of the stagnation point (e.g., Grams et al. 2013; Riemer and Jones 2014). In these studies, the position sensitivity is determined by moving the TC to a new location in the model initial conditions, or by relaxing the initial conditions in specific regions around the TC (e.g., Nystrom et al. 2018). In the case of Hurricane Sandy, which was also located in a deformation flow, differences in convection
or small differences in the steering flow (e.g., Munsell and Zhang 2014) early in the forecast led to Sandy moving onto opposite sides of the axis of contraction, leading to dramatically different track forecasts. Nevertheless, most of these previous studies are individual case studies and employ different techniques to assess the source of the position variability, which makes it difficult to draw more general conclusions on position sensitivity in these instances. As a consequence, it is worthwhile to determine whether TC position forecasts within large-scale deformation steering flow are more sensitive to uncertainty in the evolution of remote features, such as midlatitude troughs or ridges, or if these forecasts are more sensitive to the steering flow associated with nearby features over a larger set of cases. Furthermore, it is important to quantify the role of initial position uncertainty, which is non-zero for most TCs (e.g., Torn and Snyder 2012; Landsea and Franklin 2013).

The goal of this study is to evaluate the role of remote and nearby steering flow uncertainty and initial position uncertainty on large position variability within European Centre for Medium-Range Weather Forecasts (ECMWF) ensemble forecasts of three cases (Debby 2012, Joaquin 2015, Lionrock 2016). All three of these cases were characterized by highly anisotropic position variability within the first 72 h of the forecast and by the 0-h TC position near the axis of contraction of a large-scale deformation wind field. The above hypotheses are evaluated by applying the ensemble-based sensitivity technique to the ECMWF ensemble forecasts to determine the relative contribution of near-storm steering flow uncertainty relative to uncertainty in the wind further from the TC.

The remainder of the paper proceeds as follows. Section 2 describes the dataset and methods used in this study. Section 3 provides a brief overview of the three cases, while section 4 describes the sensitivity of the position forecasts to the steering flow. A summary and conclusions are given in section 5.
2. Methods

ECMWF TC track forecasts are evaluated for three cases characterized by significant anisotropic position variability and that are within a deformation steering flow pattern. ECMWF ensemble forecasts are employed here due to the size of the ensemble (51 members) and the good correspondence between ensemble-mean TC position errors and the ensemble standard deviation (e.g., Hamill et al. 2013). Gridded ECMWF forecast data at 0.5° resolution is obtained from the THORPEX Interactive Grand Global Ensemble (TIGGE; Bougeault et al. 2010) archive located at ECMWF\(^1\), while TC tracking data is taken from the TIGGE TC archive\(^2\). Table 1 provides the initialization times of the cases used in this study as well as the operational ECMWF model version that was employed during this period.

TC position sensitivities at individual lead times are evaluated using the ensemble-based sensitivity method (Ancell and Hakim 2007; Torn and Hakim 2008) applied to the ECMWF ensemble data. The sensitivity pattern identified by this method yields the effect of a perturbation to a state variable onto the ensemble’s forecast metric subspace, assuming that the ensemble has sufficient variability in both the state and metric (e.g., Gombos et al. 2012; Ido and Wu 2013). Specifically, the sensitivity of a forecast metric \(J\) at time \(t\) to a model state variable at location \(i\) at an earlier lead time \(x_{i,t-\delta t}\) is determined via:

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\frac{\partial J}{\partial x_{i,t-\delta t}} = \frac{\text{cov}(J, x_{i,t-\delta t})}{\text{var}(x_{i,t-\delta t})},
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where \(\text{cov}\) denotes covariance, and \(\text{var}\) denotes variance. Similar to previous work, \(x_{i,t-\delta t}\) is normalized by its ensemble standard deviation prior to computing the sensitivity. This approach yields sensitivity values with units of the change in the forecast metric per standard deviation of

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\(^1\)http://apps.ecmwf.int/datasets/data/tigge

\(^2\)ftp://tigge.tigge@tigge-ldm.ecmwf.int/cxml
the forecast field, which allows for a quantitative comparison between different forecast fields
and lead times. The statistical significance of the sensitivity values is evaluated using the method
outlined in Torn and Hakim (2008), which involves computing the 95% confidence bounds on
the regression coefficient and testing the null hypothesis of no relationship between the metric
and analysis state variable. If a regression coefficient is greater than the confident bounds, the
sensitivity value is said to be statistically significant.

Throughout the manuscript, \( J \) will mainly be the distance along the horizontal axis that repre-
sents the greatest variability in TC position at a specific forecast lead time (hereafter referred to as
the major axis). Essentially, this forecast metric represents the distance from the ensemble mean
along the major axis of the position ellipse computed using the Hamill et al. (2011) methodology.
Here, the major axis direction at a given lead time is determined by computing the eigenvectors of
the zonal and meridional displacement from the ensemble-mean TC position based on the ensem-
ble member positions. The benefit of this approach is that the position variability is not limited to
the Cartesian coordinate framework, which is especially useful for cases where the axis of greatest
variability has components in both the zonal and meridional directions. The orientation of the
major axis is independently determined at each lead time.

TC steering flow is evaluated within each member of the ECMWF ensemble using the method
outlined in Galarneau and Davis (2013), which is summarized below. This technique separates the
TC vortex from the environmental steering flow by first computing the vorticity and divergence
on individual pressure levels, then applying the Poisson equation to determine the streamfunction
and velocity potential associated with the vorticity and divergence within a given radius of the
TC center. The resulting nondivergent and irrotational winds are said to be associated with the
TC vortex. From there, the vector environmental wind can be calculated by taking the difference
between the vector wind and the nondivergent and irrotational vector wind associated with the TC
vortex at a given horizontal location. The TC steering wind is then found by taking the mean of the environmental wind within a particular radius of the TC center and over a set of vertical layers starting at 850 hPa. The optimal steering flow is defined as the radius and vertical layer that is most similar to the TC motion within ± 12 h of a particular time. For all of the cases used here, the optimal steering flow (given in Table 1) is assumed to be the same for all members and lead times. This is done both for simplicity and because the optimal steering flow exhibited little variability over the important periods of time and in between individual ensemble members (not shown).

3. Overview of Cases

a. Tropical Storm Debby (2012)

Tropical Storm Debby formed from the merger of a weak low pressure system that moved from the Gulf of Tehuantepec (≈ 15°N, 95°W) into the western Caribbean sea and the northern end of a tropical wave on 1200 UTC 23 June 2012. Subsequently, Debby moved northward through the central Gulf of Mexico along the axis of contraction of a deformation steering flow formed by a cyclonic circulation over the western Gulf of Mexico and eastern United States and an anticyclonic circulation over the South-central United States and Cuba (Fig. 1a). On the 26 June, Debby turned to the east and made landfall along the coast of Florida at 2100 UTC. Over its 4 d lifetime, Debby was unable to intensify beyond a 55 kt TS due to strong westerly vertical wind shear and midlatitude dry air intrusions. Instead, the biggest impacts from Debby were associated with rainfall; large regions of north-central Florida recorded > 10 in of rainfall over a two day period (Kimberlain 2013).

For initialization times close to genesis, Debby’s position forecasts exhibited large variability, which in turn led to significant challenges for National Hurricane Center forecasters. Fig. 2a
shows the ECMWF ensemble forecasts initialized on 0000 UTC 24 June. At 0 h, Debby is located in the central Gulf of Mexico near 27° N, 87.5° W. While most of the ensemble members captured the slow northward drift during the first 24 h, large differences between members exist thereafter, with some members exhibiting a south of west motion beyond that time, which results in Debby moving toward the western Gulf of Mexico. Other members exhibit continued slow northward motion into the northern Gulf of Mexico, while a third group follows the best track motion first toward the northeast and then east, making landfall along the Florida coast. This track forecast is characterized by a significant track bifurcation and resulted in large 48 h NHC official forecast position error (512 km; 435% greater than the average 48 h NHC official position error over the previous five years), since the official NHC forecast predicted Debby would take the more westward track.


Hurricane Joaquin originated from a weak upper-tropospheric low that developed over the eastern Atlantic Ocean during the middle of September. Over time, this feature gradually became a stronger cyclone, with deep convection developing on 27 September, leading to the designation of a tropical depression on 0000 UTC 28 September. Over the next 3 days, Joaquin moved toward the southwest in between an anticyclone located to its north along 70° W, a cyclone to its east, and a deep anticyclone centered over Cuba (Fig. 3). During this time period, Joaquin underwent a period of rapid intensification, becoming a major hurricane on 0600 UTC 30 September. Between 1 and 2 October, an upper trough moved south and eastward from the United States leading to the weakening of the ridge to the north, causing Joaquin to make a sharp clockwise turn in the Bahamas. As a consequence, Joaquin took on a more northeasterly motion for much of its remaining lifetime (Berg 2016).
ECMWF ensemble forecasts of Joaquin initialized at 0000 UTC 30 September exhibited considerable variability in the motion of the TC, which in turn provided a variety of landfall positions (Fig. 4a). During the first 24 h, there was a significant amount of variability in the motion, with some members exhibiting a westerly direction of motion, while others were closer to the best track with southwesterly movement toward the Bahamas. The latter set of members continued to move southwest between 24-48 h, then turning around and moving to the northeast thereafter, similar to the best track. By contrast, the set of members that had the more westerly motion during the first 24 h acquire a more northerly motion between 48-72 h and a more northwesterly motion thereafter due to the aforementioned midlatitude trough that dug into the southeastern United States (Fig. 3b,c). In turn, this group predicted that Joaquin would make landfall in either North or South Carolina. Similar to Debby, the official NHC forecast was closer to the western motion subgroup, which resulted in a 96 h position error of 522 km.

c. Typhoon Lionrock (2016)

Typhoon Lionrock transitioned from a subtropical to tropical cyclone near 28°N 154°E on 1800 UTC 17 August 2016. Over the next six days, Lionrock moved southwestward in response to a building subtropical high to the northwest and anticyclonic wave breaking to its east and intensified into a 95 kt typhoon by 0000 UTC 26 August, when the TC reached its furthest southwestern point. Beyond that time, the TC began to move to the northeast in response to a deep cyclonic circulation over northeast China and an anticyclone to its east, which combined to create a large-scale deformation steering flow pattern (Fig. 5). During this time, the typhoon reached its maximum intensity of 120 kt at 0000 UTC 28 August. By 0000 UTC 30 August, the typhoon turned sharply to the northwest in response to a deepening trough to its southwest as it underwent ET, leading to a

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3Genesis, position, and intensity based on Joint Typhoon Warning Center (JTWC) best track information.
rare landfall along Japan’s eastern coast, which is similar to the motion of Hurricane Sandy along the east coast of the United States in 2012 (Blake et al. 2013). The typhoon was associated with extensive damage both in Japan and North Korea, resulting in 550 deaths and $325 million USD in damage (Podlaha et al. 2016).

Although Lionrock’s position forecast near the time of ET exhibited large position variability for many initialization times, the focus of this study will be in the ensemble forecast initialized 0000 UTC 27 August (Fig 6a), which is is one of the last initialization times that contains significant across-track variability at the time of ET. During the first 48 h, the ensemble standard deviation in across-track position is less than 100 km; however, by 72 h, the ensemble positions become highly anisotropic, with some members showing Lionrock in the Sea of Japan, moving quickly north of due west around a midlatitude cyclone, while another set of members has Lionrock continuing to move to the northeast at a slower rate. The position variability for this case resembles the ensemble forecasts for Hurricane Sandy (e.g., Torn et al. 2015).

4. Results

a. Tropical Storm Debby (2012)

Given the large position variability in this forecast, it is of interest to understand what processes contributed to the highly anisotropic position variability associated with this case. One hypothesis for the large 48-h position variability is that it is a consequence of position variability at earlier forecast lead times. TC position errors can be thought of as the integral of the steering flow errors over time (i.e., a TC subjected to an erroneous 1 m s\(^{-1}\) westerly wind would result in a 86 km easterly position error by 1 d); therefore, it is likely that the 48 h position variability is correlated to position variability at earlier times. Fig. 7a shows the correlation between Debby’s
48-h position along the major axis to the distance along the major axis at earlier lead times. At 0 h, the correlation is 0.37 (statistically significant at the 95% confidence level), which increases to 0.86 by 24 h. This result suggests that the large variability in Debby’s 48 h position forecast is strongly related to position differences that develop within the first 24 h of the forecast. In turn, this suggests that the initial position and steering flow uncertainty is important.

Prior to understanding the role of 0-h steering flow differences, it is necessary to determine the appropriate steering flow for Debby over this period. Fig. 8a shows the mean-absolute difference between the steering flow computed using the variety of depths and radii using the Galarneau and Davis (2013) method and the best track motion averaged over each ensemble member and lead time during the first 24 h. For these times, the minimum in mean-absolute error (MAE) and the minimum standard deviation on motion differences occur when the steering flow is computed between 250-850 hPa and the TC removal radius is 333 km; therefore, the steering flow is assumed to be these parameters for the remainder of this section. Note that computing the steering flow differences for individual members yields similar values of the optimal steering flow depth and radius (not shown); therefore, the track differences are not due to differences in the steering flow for each member.

With the steering flow established, it is possible to evaluate how the uncertainty in the steering flow at various lead times correlates to the 48 h position differences. Fig. 7a shows the correlation between the 48 h distance along the major axis and the component of the TC steering flow in the direction of the 48-h major axis as a function of lead time (unit vector given in Table 1). The correlation between the 0-h steering flow and 48-h position is 0.46 and increases with lead time, suggesting that early lead time steering flow differences are strongly related to the subsequent position differences.
Steering flow is the vertically-integrated wind, thus it is possible that the uncertainty in the steering flow is mainly associated with uncertainty in the wind in a particular vertical layer of the atmosphere (i.e., upper or middle troposphere); therefore it is worth understanding how changes to the steering flow at one vertical level contributes to the variability of the column-integrated steering flow. This is evaluated by computing the linear regression coefficient between the 0-h component of the TC steering flow in the direction of the major axis and the 0-h component of the wind in the direction of the major axis at each vertical level (normalized by the ensemble standard deviation). Here, the TC steering wind at each level is computed in the same manner as the column integrated steering flow (i.e., the TC vortex is removed). Vertical levels with a large regression coefficient denote where the column-integrated TC steering flow is most sensitive to changes in the wind at that level. At this time, the column-integrated steering flow is most sensitive to variability in the 500-700 hPa wind (0.22 m s\(^{-1}\) per standard deviation), with comparatively less sensitivity to the upper-troposphere wind; other lead times exhibit a qualitatively-similar sensitivity profile (not shown).

Given the strong correlation between the 48 h position variability and 0 h steering flow, it is of interest to understand the sensitivity of the 48 h position forecast to the 0 h steering flow as a function of space. Fig. 10 shows that Debby is initially located within a region characterized by positive sensitivity that extends along the axis of contraction (located along roughly 88°W) and axis of dilatation (located along roughly 30°N) of the deformation flow over the Gulf of Mexico. Here, positive sensitivity indicates that increasing the component of the steering flow in the direction of the 48-h major axis (i.e., a more westerly wind) by one standard deviation would result in Debby being 80 km to the east of 48-h ensemble-mean position, while the opposite is true for a easterly perturbation. In essence, this result suggests that perturbation easterly or westerly flow at the location of Debby would cause the TC to move onto either the western or eastern side
of the steering flow axis of contraction, which in turn leads to the TC moving even further away from the ensemble-mean position (demonstrated below).

The steering flow differences appear to be tied to uncertainty in the synoptic features surrounding Debby. Fig. 10b indicates that the 48-h position forecast is sensitive to the 0-h 500 hPa geopotential height to the south of Debby over the western Caribbean and to the northeast of Debby over the southeastern United States. This dipole pattern of sensitivity indicates that increasing the heights to the south and/or decreasing the heights to the north, which in turn would yield a westerly geostrophic wind at Debby’s 0-h position, results in a more eastern position later in the forecast. As a consequence, it appears that Debby’s position forecast is most sensitive to the steering wind near the TC and not to the evolution of wind errors that originate further away. Furthermore, the 48-h position forecast exhibits similar sensitivity to the steering flow and 500 hPa heights up to 36 h (not shown), thus the sensitivity signal is robust.

The prior results suggest that Debby’s position forecast is sensitive to the perturbation steering flow near the TC; however, the standard deviation in the component of the 0-h steering flow in the direction of the 48-h major position axis is 0.27 m s$^{-1}$. Assuming the steering wind standard deviation remains constant with time, it would yield a position difference of 23 km d$^{-1}$; therefore, the advection of the TC by the perturbation steering flow alone cannot explain the 191 km 48-h Debby position standard deviation. Instead, the position differences could be related to differences in the ensemble-mean steering flow, particularly since the TC is located within a deformation wind pattern, meaning that the perturbation wind could advect the TC into a region with a different ensemble-mean steering wind. Here, the contribution of the ensemble-mean and perturbation steering wind differences is quantified by partitioning the component of the steering wind in the direction of the 48-h major axis into an ensemble-mean and deviation from the ensemble mean (computed at Debby’s position in each ensemble member) at each forecast lead time. The
ensemble-mean and perturbation steering wind components are then averaged for the 10 members with the most eastern and western 48-h positions. The statistical significance of the differences between these two groups of members is evaluated by randomly resampling two sets of 10 members from the full 51-member ensemble 5000 times and determining the 95% confidence bounds, similar to what is done in Torn et al. (2015).

The steering flow differences between the western and eastern members of the ensemble show a general transition from differences that are dominated by the perturbation wind to differences dominated by the ensemble mean wind. Initially, the eastern members are characterized by a 0.2 m s$^{-1}$ westerly perturbation steering wind, while the western members are characterized by a 0.2 m s$^{-1}$ easterly perturbation steering wind (statistically significant difference at the 95% level), while the ensemble-mean steering wind is comparable between the members (Fig. 11a). By 12 h, the difference in the perturbation steering flow between the eastern and western members increases to 0.6 m s$^{-1}$; however, because the eastern members are now east of the axis of contraction (Fig. 1b-c), the ensemble-mean steering flow is westerly, while the western members are characterized by a easterly component (difference statistically significant). For the remainder of the forecast, the ensemble-mean steering flow becomes increasingly westerly for the eastern members and easterly for the western members, with the differences increasing to nearly 5.0 m s$^{-1}$ by 48 h. These results suggest that the track differences are the result of a two step process. During the first 12-h of the forecast, the perturbation wind leads to Debby moving either slightly to the west or east. In turn, Debby moves onto either side of the axis of contraction of the deformation wind field, which causes the TC to experience a more westerly or easterly ensemble-mean steering flow. The differences in the mean steering flow are much larger than the perturbation steering wind differences, which subsequently lead to the large divergence in position forecasts beyond 48 h.
Forecasts initialized 12 and 24 h later support the notion that Debby’s large position variability can be explained by the location relative to the axis of contraction. Ensemble forecasts initialized at 1200 UTC 24 June (12 h later) exhibit a greater number of members that contain the eastern solution, with only 8 members exhibiting a position to the west of 90°W, which suggests that the ensemble narrows onto the eastern solution (Fig. 2b). Moreover, ensemble forecasts initialized at 0000 UTC 25 June have no members west of 90°W, with additional members closer to the best track position (Fig. 2c). Over these three forecast cycles, there is a significant reduction in both the ensemble standard deviation and ensemble-mean error at a given verification time (0000 UTC 26 June; Fig. 12a). In particular, the ensemble standard deviation decreases by a factor of three, while the ensemble-mean error is 79% lower. This likely occurs because at later initialization times, it becomes clear that Debby will move to the right of the axis of contraction, which significantly reduces the range of possible position forecasts that can exist within the ensemble.


A similar analysis is carried out on the Joaquin forecast to determine how the various synoptic features influenced the position forecast. Here, the focus is on the 72 h position forecast since subsequent position forecasts are highly dependent on the position on this time. For this particular initialization time, Joaquin’s 72 h distance along the major axis (and hence the subsequent position forecasts) is strongly determined by its position variability within the first 24 h (Fig. 7b). Unlike the Debby case, the correlation between Joaquin’s 72 h position forecast and the 0-12 h forecast is less than 0.24 (not statistically significant at the 95% level). Beyond 12 h, the correlation increases to above 0.60 starting at 24 h. As a consequence, it appears that the main position differences in Joaquin’s forecast occur during the first 24 h of the forecast; therefore, it is important to focus on this time period, and in particular the role of variability in the steering flow.
Not surprisingly, the 72 h position forecast uncertainty in the direction of the major position variability (here roughly north-south; unit vector given in Table 1) exhibits a statistically significant correlation with the component of the steering flow of the major axis for all lead times. During the 0-24 h period, the optimal steering flow is defined using the 250-850 hPa wind with a 333 km TC removal radius (Fig. 8b), which is consistent for all ensemble members (not shown). In particular, the correlation with the steering flow increases from 0.33 to 0.57 during the first 24 h, suggesting that the members that move further to the south are characterized by greater northerly winds from 0-24 h. In addition, variability in the component of the 12-h steering flow in the direction of the major axis is most sensitive to variability in the 500-700 hPa wind (0.23 m s\(^{-1}\) change in the column-integrated steering wind per standard deviation in the wind at that level; Fig. 9b). In turn, this result suggests that uncertainty in the midtropospheric wind might explain the differences between the different ensemble members (other times show similar steering flow sensitivity; not shown).

The 72 h position forecast along the major axis appears to be most sensitive to the steering wind near the TC during the first 12 h. Fig. 13a indicates that Joaquin’s position forecast is most sensitive to the 0-h steering wind approximately 1.5° to the west of the initial position, which is on the northeastern side of deep-tropospheric anticyclone centered over Cuba and on the southwestern side of the anticyclone to the north of Joaquin. Within this region, making the wind more southerly by one standard deviation yields a 72-h position forecast that is roughly 140 km further north than the ensemble mean. Over time, the region of maximum sensitivity drifts toward the southwest where Joaquin is moving, such that Joaquin moves into the middle of the sensitive region by 12 h (Fig. 13c). It is worth pointing out the region of negative sensitivity that is present at both times over the southeastern Gulf of Mexico and the western Caribbean sea, which is on the western side of the Cuba anticyclone. The combination of positive sensitivity on the eastern side
of the anticyclone and negative sensitivity on the western side implies that Joaquin’s track forecast could be sensitive to the large-scale synoptic wind pattern in this area. Indeed, Fig. 13b,d indicate that Joaquin’s position forecast is sensitive to the 500 hPa heights within the deep-tropospheric anticyclone and to the heights to the northeast of the TC, such that decreasing the heights with the Cuba anticyclone and increasing the heights associated with the midlatitude trough to the northeast, which would imply southerly geostrophic winds near Joaquin, is associated with a more northern TC later on in the forecast. Similar to Debby, these results suggest that Joaquin’s forecast is most sensitive to the steering flow near the TC and not to steering flow uncertainty initially far away, such as the trough moving in from the southeast United States. Furthermore, this sensitivity is consistent with Nystrom et al. (2018), who found that WRF forecasts of Joaquin appeared to be most sensitive to changing the initial conditions 600-900 km from the TC.

The ensemble position differences appear to be related to the combination of both perturbation and ensemble-mean steering flow differences among the members. Fig. 11b shows the composite ensemble-mean and perturbation steering wind components in the direction of 72 h major axis for the 10 most northern and southern members, which is computed in the same manner as the Debby forecast above. During the first 6 h, the northern and southern members are characterized by small, statistically insignificant differences in the ensemble-mean and perturbation steering wind; this corresponds to the time when Joaquin is outside of the sensitive region described above. Between 12-36 h, the northern members acquire a 0.4–0.9 m s$^{-1}$ larger southerly component of the perturbation steering wind (statistically significant), as well as a statistically larger southerly ensemble-mean wind that subsequently increases with time. By 60 h, the perturbation steering flow differences are 1.3 m s$^{-1}$, compared to 3.0 m s$^{-1}$ for the ensemble-mean steering flow, with the latter increasing to 6.0 m s$^{-1}$ by 72 h. Similar to the Debby forecast, it appears that the position differences originate from uncertainty in the near-storm steering flow during the first 12 h of the
forecast. This perturbation steering flow causes the TC to move into a region characterized by a different ensemble-mean wind, which subsequently results in large position displacements later in the forecast.

Subsequent forecasts of Hurricane Joaquin’s position exhibit decreased ensemble-mean error and standard deviation, likely due to more certainty of Joaquin’s position relative to the steering flow axis of contraction. Whereas the forecast initialized at 1200 UTC 30 September still has 10 members making landfall in the southeastern United States within 96 h and a roughly equal number that are close to the best track (Fig. 4b), the 0000 UTC 1 October initialization time contains 5 members that have the more western track, while a much larger number of members have a motion more characteristic of the best track northeasterly motion (Fig. 4c). Focusing on the position forecasts valid at 0000 UTC 3 October, the ensemble-mean position error decreases from 430 km for the forecast initialized 0000 UTC 30 September to 170 km in the forecast initialized 24 h later (Fig. 12b). Furthermore, the ensemble standard deviation decreases by over a factor of two in between these initialization times. These later forecasts have more certainty on which side of the deformation flow Joaquin will move and hence have less error and uncertainty.

c. Typhoon Lionrock (2016)

Unlike the previous two cases, there is little correlation between Lionrock’s 72 h distance along the major axis (the focus of the subsection) and the distance along the major axis at other lead times during the first 24 h of the forecast (Fig. 7c). Specifically, the correlation is not statistically significant until 36 h into the forecast, at which point the correlation quickly increases to 0.6. In turn, it appears that the 72-h position forecast is not as sensitive to the position forecast early in the forecast.
Instead, there appears to be significant correlation between the component of the steering flow in the direction of the major axis and the 72 h position. For this case, the optimal steering flow parameters are the 200-850 hPa layer-average wind with a 333 km TC removal radius (Fig. 8c). While the correlation at 0 h is not statistically significant, by 12 h, the correlation with the steering flow exceeds 0.5 and increases to nearly 1.0 by 60 h, before decreasing thereafter due to the large variability in the steering flow that is a consequence of the over 1000 km difference in position between members (Fig. 7c). The large correlation with the steering flow before 24 h suggests that the 72 h position forecasts are dependent on the steering flow early in the forecast. Furthermore, variability in the 12-h column-integrated steering flow in the direction of the major axis\(^4\) is most sensitive to variability in the 500 hPa wind, with comparatively less sensitivity above and below that (Fig. 9c).

For this case, the 72-h position forecast exhibits large sensitivity to subtle variations in the 0-h steering flow in between Lionrock and the midlatitude trough to its northwest. Fig. 14a indicates that Lionrock’s 72 h position forecast has large sensitivity to the 0-h component of the steering flow along the 72-h major axis of variability to the north of the TC along 30\(^\circ\)N, such that making the wind more southeasterly by one standard deviation is associated with Lionrock being 300 km to the northwest at 72 h. This region is along the southern end of the deep-layer trough in the steering wind over eastern China and a shortwave ridge to the east of the trough and north of Lionrock. This pattern of sensitivity suggests that Lionrock’s 72 h position is sensitive to the southern extent of the midlatitude westerlies, such that shifting this region to the north (which would result in a perturbation southeasterly wind) is associated with a more northwestern 72-h position. 12 h later, the 72-h position forecast remains sensitive to the steering flow along the southern end of the trough, but the sensitive region expands in area and includes the immediate region around

\(^4\)First time where the steering flow correlation is statistically significant.
Lionrock and on the southern edge of the anticyclone to the southeast of Lionrock (Fig. 14b). It is
worth pointing out that most of the track sensitivity is associated with the component of the wind
normal to the mean steering flow and to the axis of contraction, similar to the previous cases.

The evolution of the steering flow near Lionrock appears to be related to uncertainty in two
troughs in the nearby 500 hPa height field that subsequently evolve with time (Fig. 15). At 0-
h, the first region of large sensitivity is a west-east negative-positive dipole centered on 29°N, 132°E, which is just north of Lionrock and brackets a larger-scale trough centered along 130°E (Fig. 15a). This pattern of sensitivity indicates that lowering the heights to the west of Lionrock and/or increasing the heights to the east by one standard deviation is associated with Lionrock being 240 km to the northwest of the ensemble mean position at 72 h. The combination of neg-
ative heights to the west and positive heights to the east would imply a southerly perturbation
geostrophic wind acting upon Lionrock during subsequent lead times. The second main region of
sensitivity is associated with the western side of the trough over eastern China (centered on 45°N, 120°E), such that increasing the heights to the west of the trough, which in turn would imply a more amplified upstream ridge, is associated with a more northwestern position of Lionrock. 12 h later, the sensitive regions appear to move with Lionrock and the eastern China trough (Fig. 15c). The sensitivity to the 24 h 500 hPa height field near Lionrock takes on a quadripole pattern, which appears to be a combination of two orthogonal dipoles centered on Lionrock (Fig. 15e). The first negative-positive southwest-northeast dipole appears to reflect the sensitivity to the larger-scale trough originally located at 130°E, while the second northwest-southeast negative-positive dipole is a reflection of the sensitivity to Lionrock’s position at this time. Displacing Lionrock to the northwest at 24 h will result in the TC being more to the northwest at 72 h as well (also seen in Fig. 5c). Furthermore, the region of positive sensitivity upstream of the eastern China trough re-
ains within the ridge upstream of the ensemble-mean trough, with a region of negative sensitivity
now on the south side of the trough. This region of negative sensitivity indicates that Lionrock will have a more northwest 72 h position if this trough moves further equatorward at this time. It is likely that this negative sensitivity region is related to the upstream positive sensitivity region since increasing the heights over Mongolia at 0 h would imply a northerly geostrophic wind over the downstream trough, which in turn would be expected to advect this trough to the south over time (the sensitivity to the 250 hPa PV is consistent with this hypothesis; not shown).

In addition to the sensitivity associated with the location of various synoptic features, Lionrock’s position forecast appears to have a secondary sensitivity to the amplitude of diabatic outflow. During the first 12 h, the sensitivity to the 200-300 hPa divergence (used as a proxy for diabatic outflow) is scattered and smaller in amplitude compared to 500 hPa height (Fig. 15b,d). By 24 h, there is a region of positive divergence sensitivity co-located with the ensemble-mean divergence over South Korea, which is downstream of the ensemble-mean trough (Fig. 15f). The increased divergence subsequently leads to a more negatively-tilted PV anomaly, which in turn would be expected to impart a more southeasterly steering wind on Lionrock (not shown).

Much of the position difference between the 10 most northwest and southeast members is explained by a transition from differences in the perturbation steering wind to differences in the ensemble-mean steering wind (Fig. 11c). By 12-h, the perturbation steering wind in the direction of the 72-h major axis is 0.7 m s$^{-1}$ higher for the northwest members compared to the southeast members. These differences increase to 1.2 m s$^{-1}$ by 48 h, which would yield no more than a 104 km d$^{-1}$ position difference. By contrast, the difference in the ensemble-mean wind is less than 0.5 m s$^{-1}$ through 36 h, but then increases in an exponential manner thereafter, so that by 60 h, the northwestern members have a 9 m s$^{-1}$ wind in the major axis, while the southeastern members are closer to 0 m s$^{-1}$. At 72 h, the northwestern members have a 22 m s$^{-1}$ ensemble-mean wind, while the southeastern members remain near zero.
Similar to the Debby and Joaquin forecasts, the ensemble-mean error and standard deviation significantly decrease at later initialization times when it becomes clearer on which side of the axis of contraction Lionrock will move. While the 1200 UTC 27 August initialization still contains a large number of members that stall east of Japan (Fig. 6b), nearly all members from the 0000 UTC 28 August initialization replicate the actual northwesterly motion over Japan (Fig. 6c). Moreover, there is a 85% reduction in the ensemble-mean position error and 65% reduction in the ensemble position standard deviation for 0000 UTC 30 August between the 0000 UTC 27 August and 0000 UTC 28 August initialization time (Fig. 12c)

5. Summary and Conclusions

This study evaluates the sensitivity of TC position forecasts within the ECMWF ensemble for three cases (Debby, Joaquin, Lionrock) characterized by large anisotropic, cross-track position variability. In all three cases, the TC is initially located near or along the axis of contraction of a large-scale steering flow characterized by deformation. The relative contribution of uncertainty in the near-storm steering flow versus more remote steering flow uncertainty is evaluated by computing the ensemble-based sensitivity of the position forecast along the axis of greatest position variability to the case-specific steering flow at various lead times.

For all three cases, the largest position forecast sensitivity is mainly tied to variability in the near-storm steering flow. For Debby and Joaquin, differences in the 0-12 h steering flow, on the order of 0.5 m s\(^{-1}\), between the ensemble members lead to the TC moving onto either side of the axis of contraction of the deformation wind field, while in Lionrock, the important steering flow differences occur in the first 24 h. As the TC moves onto either side of the axis of contraction, it will experience a different ensemble-mean steering wind, which subsequently leads to the TC accelerating away from the ensemble-mean position, while the differences in the perturbation
steering flow remain comparatively smaller through the remainder of the forecast. By contrast, the position forecasts exhibit comparatively less sensitivity to steering flow uncertainty more than 500 km from the initial TC position. Further support for this paradigm is provided by later forecast lead times, which show large decreases in both ensemble-mean position error and standard deviation as it becomes clearer which side of the axis of contraction that the TC will eventually move. It is worth pointing out that later initialization times have comparable 0-h TC steering wind standard deviation; however, these perturbation steering winds are not sufficient to cause the TC to move onto the other side of the axis of contraction.

Although previously-documented cases were characterized by different synoptic situations and evolutions, the results presented here are consistent with their conclusions. In particular, these results are similar to Grams et al. (2013), which showed that small differences in the position of Typhoon Jangmi relative to the saddle point created by the midlatitude Rossby wave pattern lead to large TC position and evolution changes. In contrast to Hurricane Sandy’s forecasts, variability in convection and diabatic outflow do not appear to be the primary sensitivity for the position forecasts (e.g., Bassill 2014; Torn et al. 2015); however, the results are similar in that Sandy was found to move onto either side of the axis of contraction depending on the interaction between convection and the steering flow in forecasts initialized 5 d prior to landfall. Furthermore, Hurricane Sandy forecasts initialized at later times also exhibited significant reductions in position error and variability as it became clear that Sandy would move to the west of the axis of contraction. Finally, the results from Joaquin broadly agree with the conclusions of Nystrom et al. (2018), who found that replacing the initial conditions 600-900 km from Joaquin’s center (consistent with the sensitivity region identified here) with another convection-resolving analysis yielded improved track forecasts using the Weather Research and Forecasting (WRF) model. This result is intriguing in that a similar answer was found despite using different models and initial condition sources.
These results have some important implications for how to account for future TCs that occur in similar steering flows. One potential way to reduce the uncertainty in these forecasts would be to sample the steering flow around these TCs either via aircraft data (e.g., NOAA G-IV, DOTSTAR, Wu et al. (2005)), which might be difficult if the TC is far from land, or via alternative methods, such as rapid-scan satellite images, which can provide a large number of vector winds, though perhaps not at the level of interest (i.e., 500 hPa). Moreover, it appears that more remote observations would have limited value given that these cases exhibit minimal sensitivity to the evolution of the steering flow. The critical aspect here is to sample the steering flow with observations as early as possible in the TC lifetime when the position forecasts will be most sensitive to subtle differences in the steering flow. Over time, the forecasts become more confident as it becomes clear which side of the axis of contraction the TC will move. Finally, it is clear that TCs in deformation steering flows are inherently difficult to predict given the nature of the wind field, which motivates using ensemble prediction systems, rather than deterministic forecasting, which may have large errors if the forecast moves toward the wrong side of the axis of contraction. Moreover, TC position forecasts might be most sensitive to cases when the perturbation steering flow can cause the TC to move into different ensemble-mean steering winds, which is often larger than the ensemble perturbation wind. Future work will likely pursue computing the relative contribution of perturbation steering wind and ensemble-mean steering wind gradients on TC position variability over a larger set of cases. Furthermore, it is also worthwhile to investigate the frequency of TCs in deformation steering flows and the extent to which position forecasts in these situations are less predictable than a typical position forecast.

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<table>
<thead>
<tr>
<th>Tropical Cyclone</th>
<th>Initialization Time</th>
<th>ECMWF Version</th>
<th>Steering Layer</th>
<th>Radius</th>
<th>Major Axis Unit Vector</th>
</tr>
</thead>
<tbody>
<tr>
<td>Debby (04L)</td>
<td>0000 UTC June 24 2012</td>
<td>CY36R1</td>
<td>250-850 hPa</td>
<td>333 km</td>
<td>0.968 \hat{i}, 0.249 \hat{j}</td>
</tr>
<tr>
<td>Joaquin (11L)</td>
<td>0000 UTC September 30 2015</td>
<td>CY41R1</td>
<td>250-850 hPa</td>
<td>333 km</td>
<td>-0.229 \hat{i}, 0.973 \hat{j}</td>
</tr>
<tr>
<td>Lionrock (12W)</td>
<td>0000 UTC August 27 2016</td>
<td>CY41R2</td>
<td>200-850 hPa</td>
<td>333 km</td>
<td>-0.731 \hat{i}, 0.682 \hat{j}</td>
</tr>
</tbody>
</table>
Fig. 1. ECMWF (a) 0-h, (b) 12-h, and (b) 24-h ensemble-mean steering wind for the forecast initialized 0000 UTC 24 June 2012 (barbs). The red dot denotes the mean position of the 10 ensemble members with the most eastern 48-h position, while the blue dot denotes the mean position of the 10 ensemble members with the most western 48-h position.

Fig. 2. ECMWF ensemble forecasts of Tropical Storm Debby initialized (a) 0000 UTC 24 June 2012, (b) 1200 UTC 24 June 2012, and (c) 0000 UTC 25 June 2012 (gray lines). The dots indicate the location of each ensemble member at 24 h intervals, while the colored circles show a bi-variate normal fit to the positions each 24 h, as in Hamill et al. (2011). Purple denotes 24-h locations, cyan denotes 48-h locations, and green denotes 72-h locations. The thick black line denotes the National Hurricane Center best track positions, while the stars indicate the corresponding best track position each 24 h. The direction of the 48-h major axis is denoted by the cyan vector.

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